CLIMATIC VARIATIONS IN HURRICANES AND THEIR POTENTIAL EFFECTS ON WAVES AND SURGES IN THE GULF OF MEXICO

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Sometimes we push things just a bit too far!



And learn the hard way.



What is the Hurricane Threat?

• Are we adjusting to new information and understanding of the hurricane threat?



Higher storm frequency since 1960?

More intense storms?

Huge implications on level of protection provided by our projects and risk Many recent publications have examined the apparent increase in hurricane frequency over the last decade or so in the Atlantic basin.

The objective of this paper is to

- 1. examine variations in hurricane frequency and intensity in the Gulf of Mexico;
- 2. examine large-scale patterns of atmospheric circulation and sea surface temperature to see in any of these are correlated with hurricane activity;
- 3. estimate the impact of large-scale variability on hurricane activity; and
- 4. estimate the impact of potential variations in hurricane activity on extreme surges and waves within the Gulf of Mexico.

Regions



TC Number-SST Relationship



Changes between TC climate regimes are accompanied by similar changes in eastern Atlantic SSTs;

SST leads cyclone changes and explains >60% of the variance in TC numbers (due entirely to regime changes).

From: Holland and Webster, 2006.

Have we entered a new climatic regime for hurricanes?? If so, what are the consequences on waves and surges in the Gulf of Mexico?

Three Sets of Data used here:

- 1. Sea Level Pressure (SLP) Fields 1950-2005 NOAA-tropic data set 0-110 W, 0-40N
- 2. Sea Surface Temperature (SST) Fields 1950-2005 ERSST data set
- Hurricane Data 1950-2005
 Oceanweather parameter files
 NCDC parameter files
 (Central pressure, Rmax/Rp, track, forward speed, + ...)

ANALYSES

Pressure Fields

Remove seasonal effects $\underline{P}'=\underline{P}-\underline{M}(5-day)$ 73 5-day "anomaly" pressure fields per year EOF analysis for entire year Define weightings on EOF's $W_{ij} =$

$$W_{ij} = \sum_{k=1}^{N} \varepsilon_{ik} \hat{p}_{jk}$$

Sea Surface Temperature Fields Averaged over the entire Gulf of Mexico (Jul-Oct)

Hurricanes

Define measure of combined frequency and intensity:

$$KE_{total} = \sum E_k \quad \text{for entire season}$$
$$E_k \sim \iint V^2(x, y) dx dy = \iint V^2(r, \theta) r d\theta dr$$
given that $V(r, \theta) = V_{\max} \phi_1 \left(\frac{r}{R_{\max}}\right) \phi_2(\theta - \theta_0)$ then $E_k \sim V_{\max}^2 R_{\max}^2$

Eigenfunction #	Percentage Variance	Cumulative Variance
1	37.52	37.52
2	14.62	52.13
3	10.21	62.34
4	8.74	71.08
5	6.62	77.70
6	4.66	82.36
7	2.93	85.29
8	2.39	87.68
9	1.90	89.58
10	1.60	91.18
11	1.17	92.35
12	1.04	93.39
13	0.92	94.31
14	0.65	04.96
15	0.53	95.49











5 Day Mean SLP Anom Eigen Vectors NOATL 0-40N, 110-5W: June 30-Nov 1, 1950-2005

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Very large decadal and longer scales of variation – not just a single cycle!!!!

Frame 001 | 18 Jul 2006





Variation in seasonal total kinetic energy in Gulf of Mexico

Correlation between Smoothed Annual KE and Eigenfunctions 1-15 Underline denotes significance at .01 level of confidence

Eigenfunction	Correlation	<u>Student's T</u>
1	0.1493216	1.109727
2	-0.2459255	1.864435
3	-0.3340233	<u>2.604129</u>
4	-0.1314833	0.9746628
5	-0.1915766	1.434362
6	-7.9412408E-02	0.5854084
7	-0.1434847	1.065417
8	-0.2273055	1.715246
9	1.8339736E-03	1.3476920E-02
10	-5.3688638E-02	0.3950992
11	0.2781583	2.128020
12	0.3209944	2.490618
13	-0.4129986	<u>3.332384</u>
14	0.4549139	<u>3.753832</u>
15	0.2868412	2.200305



Variation of hurricane season Gulf of Mexico SST's 1950-2005



Weightings on Eigenfunction 1 and SST with normalized ranges.

Correlation coefficient between weightings on E1 and SST's through time for different lag/lead values.

LAG (years)	Correlation Coefficient	Student's T	
-3	0.72	7.426	
-2	0.79	9.251	
-1	0.79	9.243	
0	0.75	8.342	
1	0.61	5.571	
2	0.48	3.908	
3	0.39	3.032	
3	0.39	3.	



Weightings on Eigenfunctions 1 & 3 and SST with normalized ranges.



Total KE per season with 40-year cycle superimposed.

	<u>Group 1 (39 years)</u>		Group 2 (17 years)		
Year	Name	Central pressure	Year	Name	Central pressure
		(at landfall)			(at landfall)
1957	Audrey	963.6	1961	Carla	936.4
1974	Carmen	942.8	1964	Hilda	960.0
1979	Frederic	949.7	1965	Betsy	945.2
1980	Allen	945.0	1967	Beulah	950.0
1992	Andrew	949.0	1969	Camille	905.8
1996	Opal	940.2	1970	Celia	944.0
1999	Earl	953.0	2002	Lili	966.3
			2004	Charley	950.2
			2004	Ivan	955.1
			2005	Dennis	951.9
			2005	Katrina	919.4
			2005	Rita	945.8
			2005	Wilma	951.1

Table 3. Landfalling central pressures for Group 1 and Group 2

If the distribution of x is influence by a "large-scale" variation then We can used a conditional probability integral to estimate p(x).

$$P(x) = \int P(x \mid \vec{S}) p(\vec{S}) d\vec{S} \qquad \approx \sum P(x \mid \vec{S}_k) p(\vec{S}_k)$$

For a discretized set of "populations" we can use the following form To estimate the return period T(x)

$$T(x) = \frac{1}{1 - \sum \lambda_n \beta_n F_n(x)}$$

where

 λ_n is the frequency of storms in Group n $F_n(x)$ is the cumulative distribution function (CDF) for storms in Group n and β_n is the proportion of years in Group n

For the case where populations are identically distributed, we have

$$T(x) = \frac{1}{1 - F(x) \sum \lambda_n \beta_n}$$

where F(x) is the general CDF for all Groups.

 $F(\hat{x}) = e^{-e^{-\hat{x}}}$

GEV analysis of central pressures

where

$$\hat{x} = A + B\left(\frac{1 - e^{-Cx}}{C}\right)$$

$$\hat{x} = \frac{x - a}{b}$$



Extremes are dominated by "active-season" hurricanes.

Both the slope and the frequency of intense storms varies from one population to the other.





The post-1980 SST warming provides a clear trend to the type of plot Used by Holland and Webster for showing potential transitions to alternative Regimes in tropical activity in the Atlantic Basin.



Cumulative Kinetic Energy vs. Sea Surface Temperature (deg C)

Wave Scaling

Surge Scaling

$$\eta_{\max} \sim \frac{u_{\max}^2}{g} \Psi(\hat{R}_{\max})$$

 $H_{\text{max}} \sim \frac{u_{\text{max}}^{9/7}}{g^{2/7}} (\langle V_f - C_g \rangle)^{5/7}$

where R_{max} is a nondimensional storm size parameter, given by

$$R_{\max} = \frac{gR_{\max}}{u_{\max}^2}$$

Table 5. Estimated changes in extreme waves heights and surges for selectedreturn periods, given a doubling of years with high hurricane activity.

Return Period	Change in Wave Height	Change in surge
(years)	(percent)	(percent)
25	+15	+18
50	+13	+16
100	+12	+15
250	+11	+12
500	+10	+ 9

