

Evaluation of the Storm Surge Hazard in Coastal Mississippi

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ACKNOWLEDGEMENTS

Project Staff:

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Companies:

Risk Engineering, Watershed Concepts, Dewberry, Ayres Assoc., Computational Hydraulics,

URS Team

MOTIVATION

- New Flood Maps Needed
(especially after Hurricane Katrina)
- New Methodology
Needed

NEW METHODOLOGY

- Storm Characterization
- Numerical Models
- JPM – JPM-OS
- Coastal Flood Elevations

SUMMARY OF CONCLUSIONS

- New working methodology for FEMA Coastal Flood Studies has been developed
- Efficient JPM has been shown to be accurate and efficient
- Wave setup included within the hydrodynamic simulations improves the results
- Results are sensitive to subtle processes
- New efficient methods have been corroborated over related flood study projects

PROJECT ORGANIZATION

- Characterize the local storm climate
- Develop method of forward projection
- Create surge heights with numerical models
- Analyze recurrence statistics

Characterization

- Storm Parameters
- Period of Record
- Schematic Shoreline
- Optimize the Sample Error/Population Error Trade Off
- Parameter Statistics

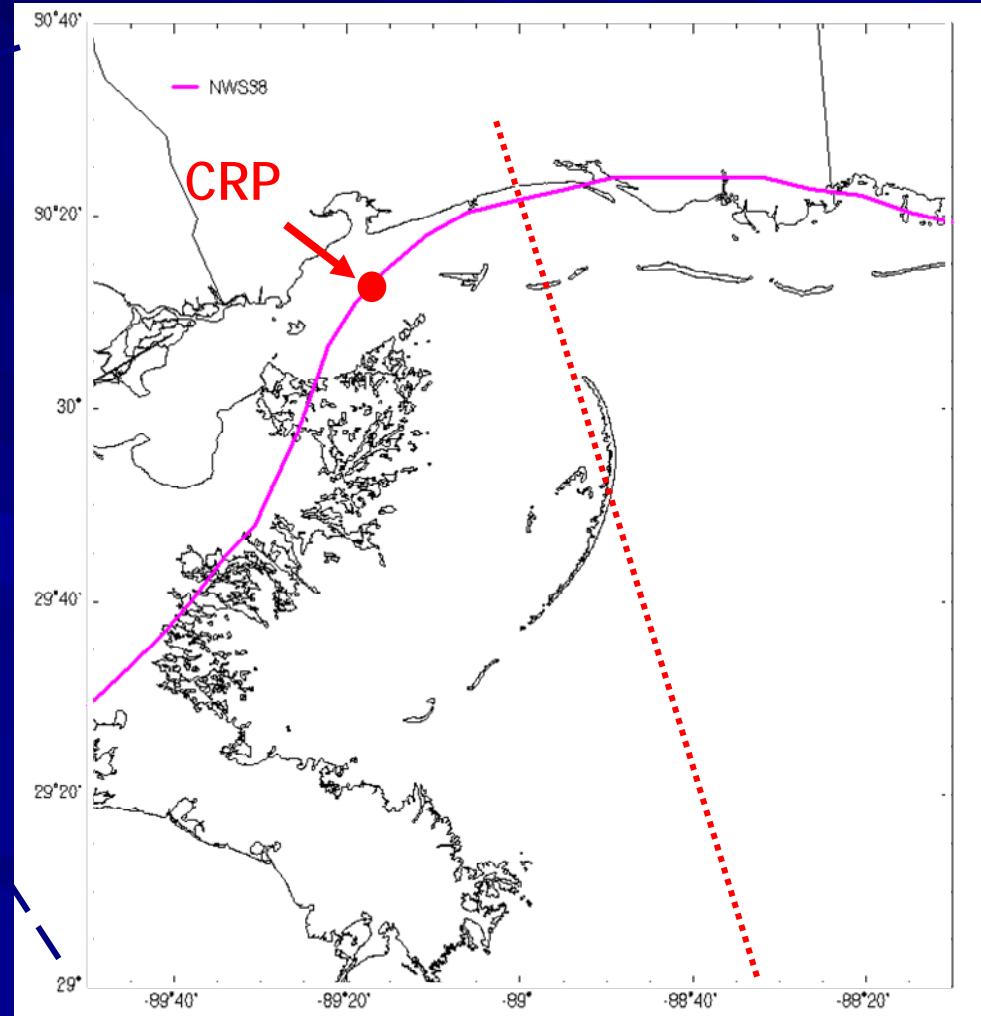
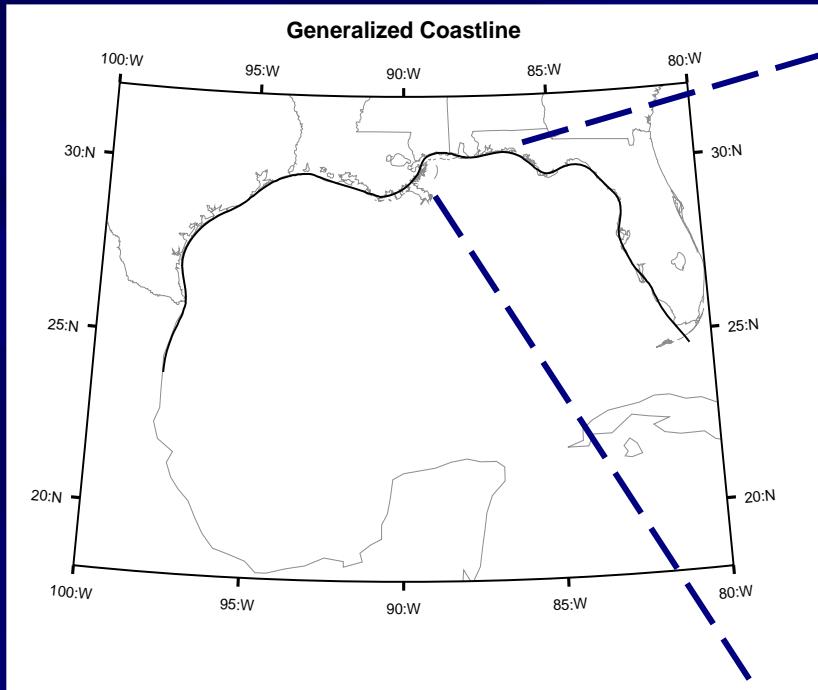
Period of Record

- 1851: Limit of Hurdat
- 1900: Former FEMA Data Limit
- 1940: Offshore Aircraft Observations
- 1960s: Satellites and Data Buoys
- 1990s: Doppler Radar
- 2006: Limit Of Study Data

Period of Record

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Schematic Shoreline



Storm Parameters

- Pressure deficit
 - Pressure radius
 - Azimuth
 - Landfall
 - Forward speed
 - Holland B
 - Astronomical tide
 - Track variations
 - Wind/Pressure Field Details
-
- Major Parameters
 - Pressure deficit
 - Pressure radius
 - Azimuth
 - Landfall
 - Forward speed
 - Special Parameter
 - Holland B
 - Random Parameters
 - Astronomical tide
 - Track variations
 - Wind/pressure field variations
 - Lack of model framework skill

Optimize Spatial Resolution vs Statistical Precision

Rate of Cat >2 Hurricanes (storms/deg/yr) (160 km kernel; 1950-2005)

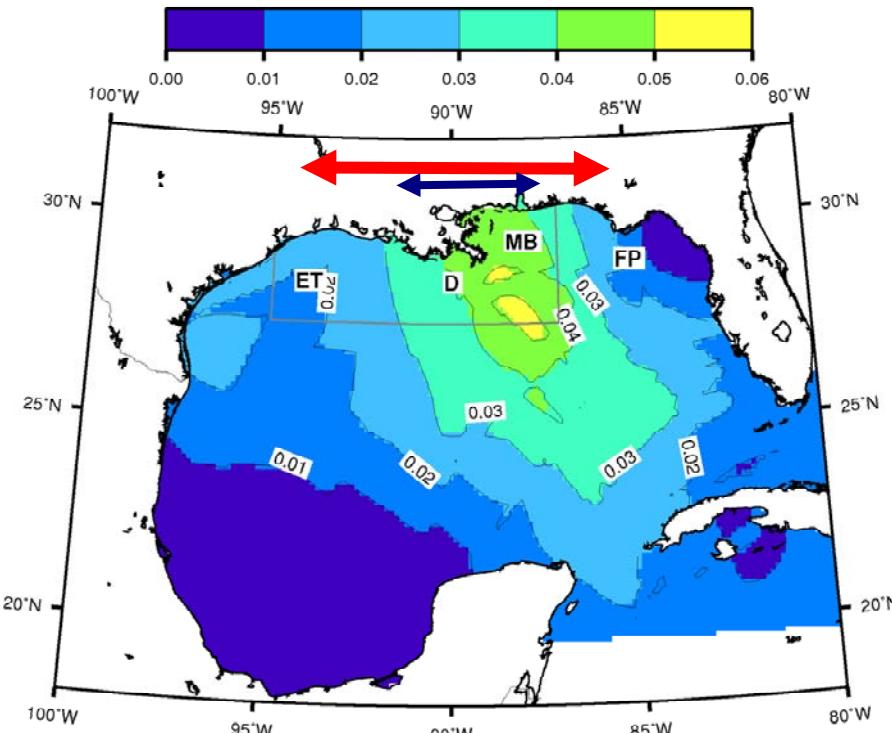
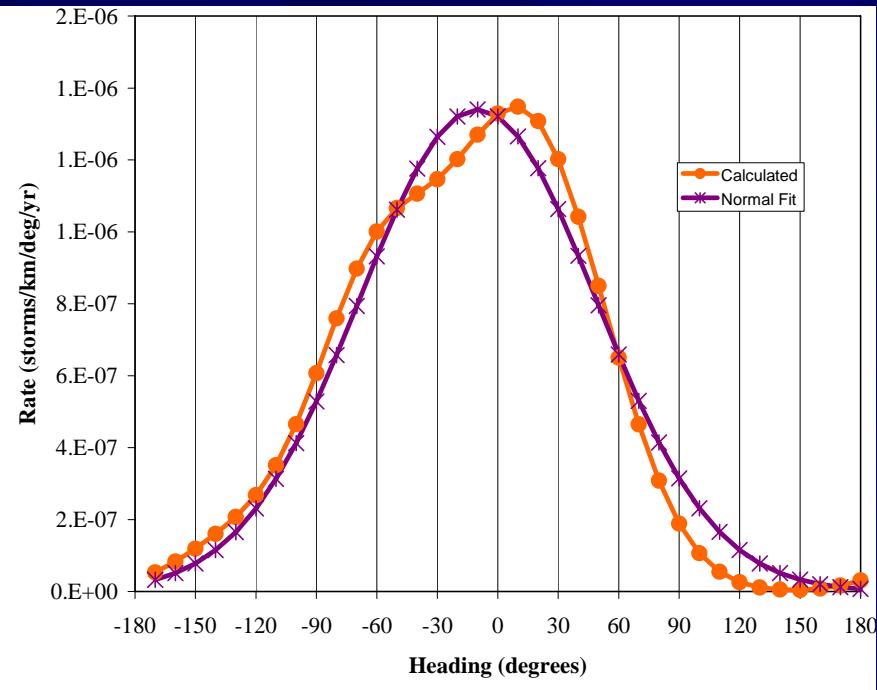


Figure 3-1. Analysis of hurricane frequency from Toro (Risk Engineering) from an analysis using an optimized spatial kernel.

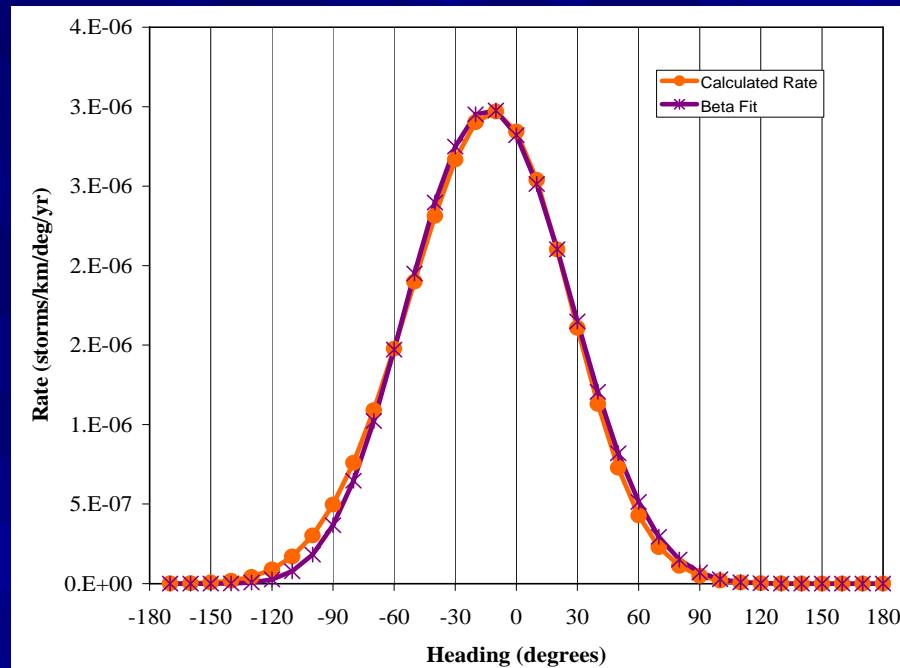
Hurricane frequency (from Toro)

- Optimal kernel – (width 200 km)
- Total of 30 Storms (1940-2006; 85°-95°W)
- Divide: $\Delta P > 48 \text{ mb}$ (14); $31 > \Delta P > 48$ (16)
- Chouinard Method ($\lambda, \Delta P, \theta$)
 - Weights based on track-to-CRP distance
- Conditional $R_p | \Delta P$
- Simple fit for U

Direction & Rate



Lesser $2.57\text{E-}4$ storms/km/yr



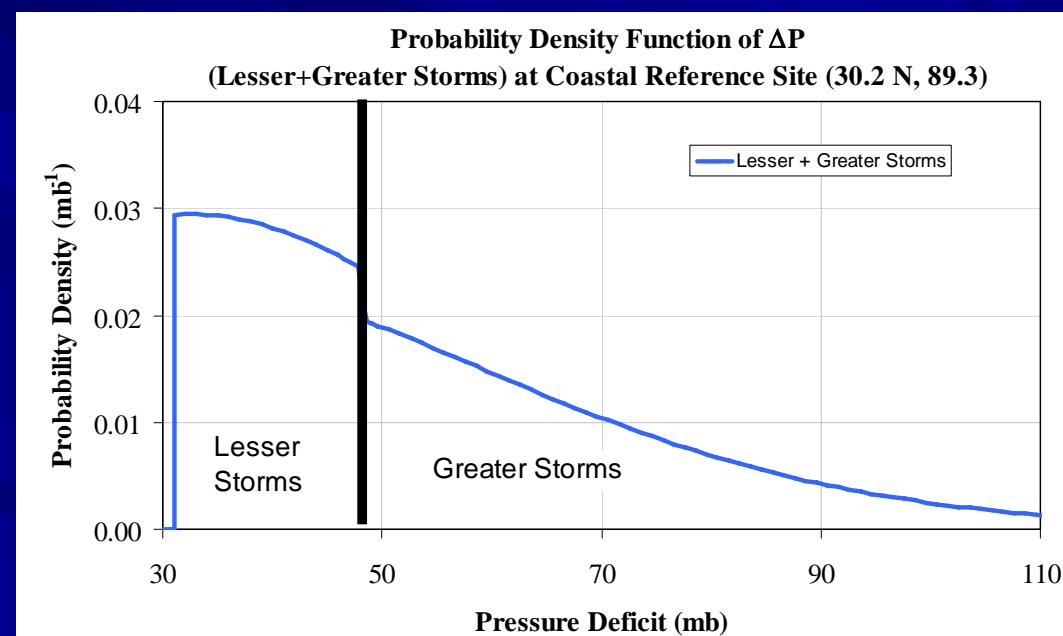
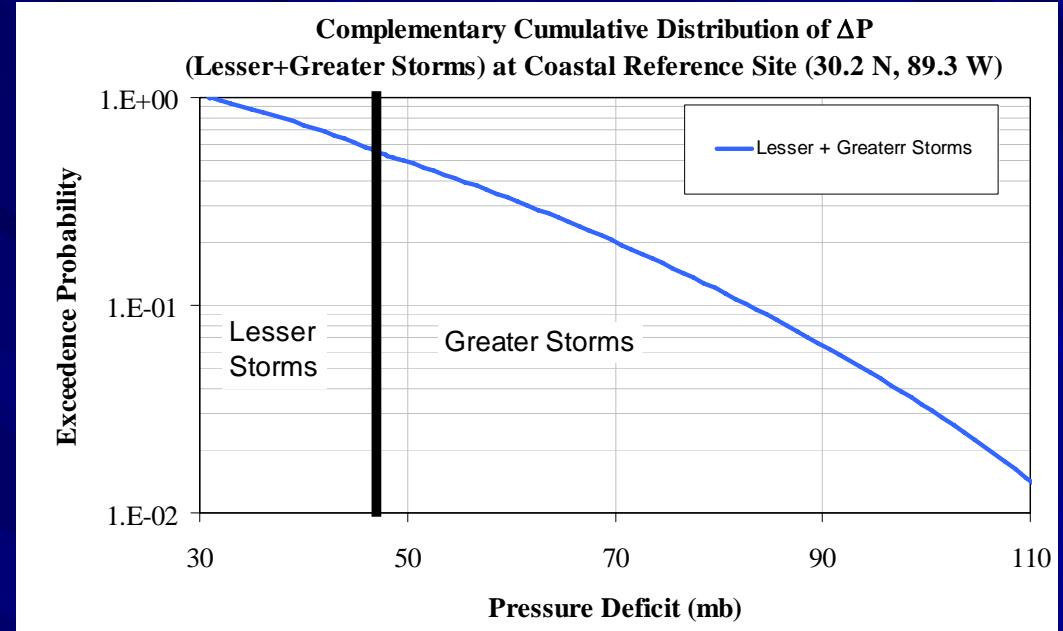
Greater $2.88\text{E-}4$ storms/km/yr

Annual Rate $5.45\text{E-}4$ storms/km/yr

Pressure Deficit

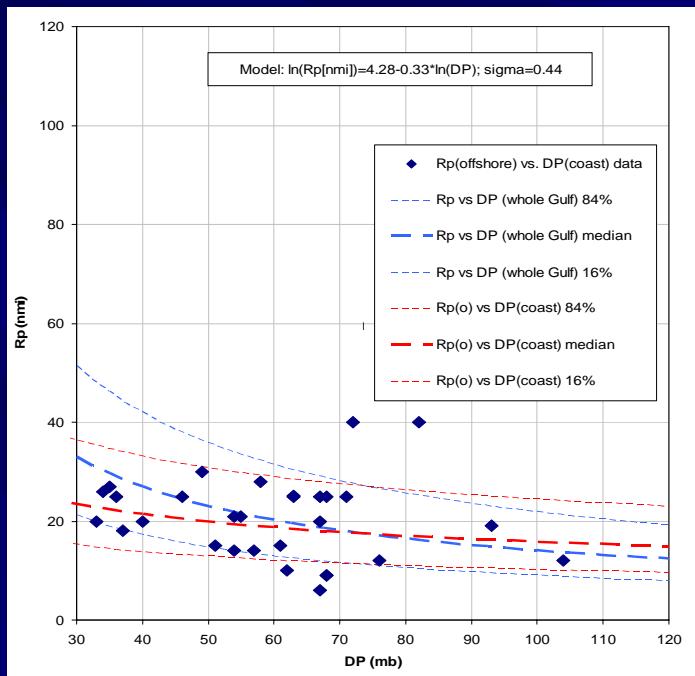
Fitted with a
Weibull Distributions

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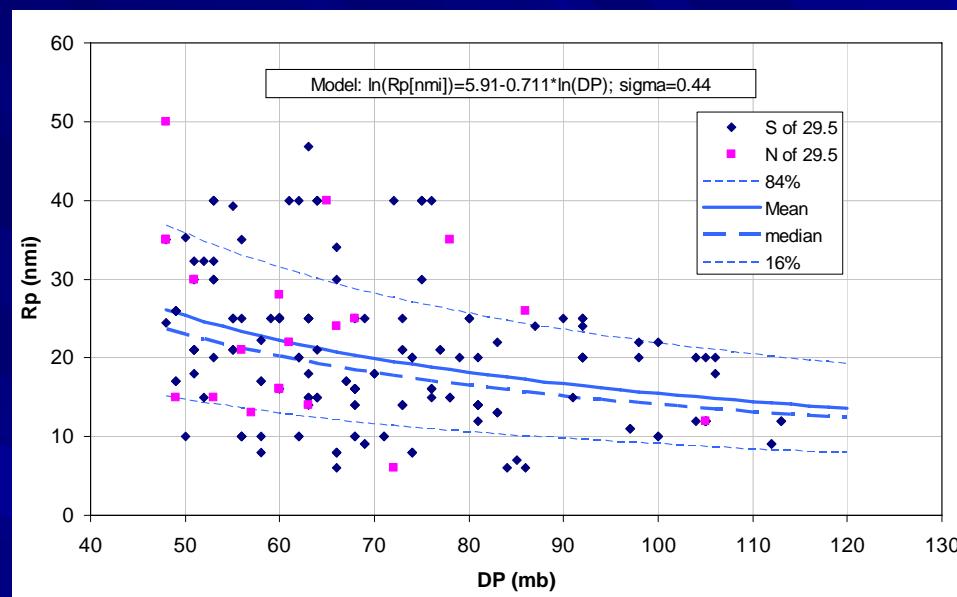
Pressure Radius (depends on ΔP)

LESSER STORMS



DATA FROM WHOLE GULF
OF MEXICO (1950-2006)

GREATER STORMS



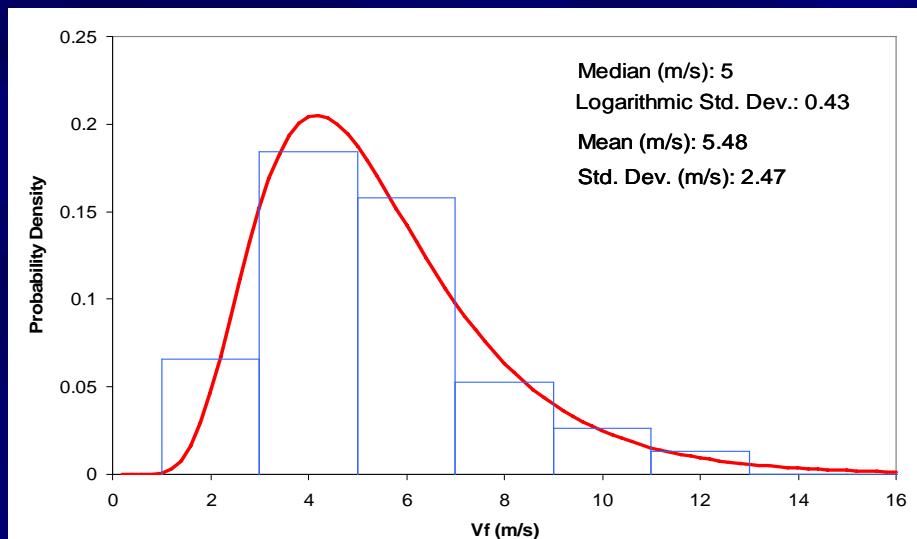
DATA FROM WHOLE GULF
OF MEXICO (1940-2006)

Conditional Distribution $R_p | \Delta P \Rightarrow$ lognormal functions

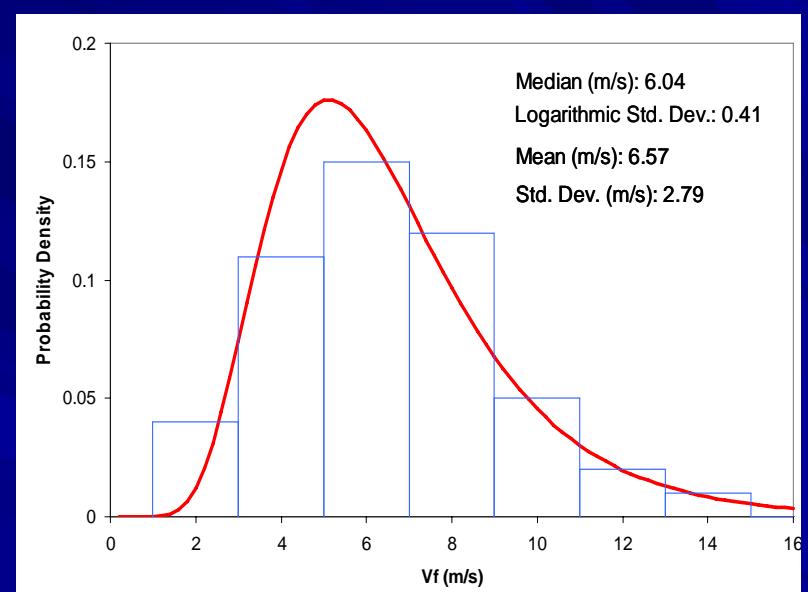
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Forward Speed

LESSER STORMS



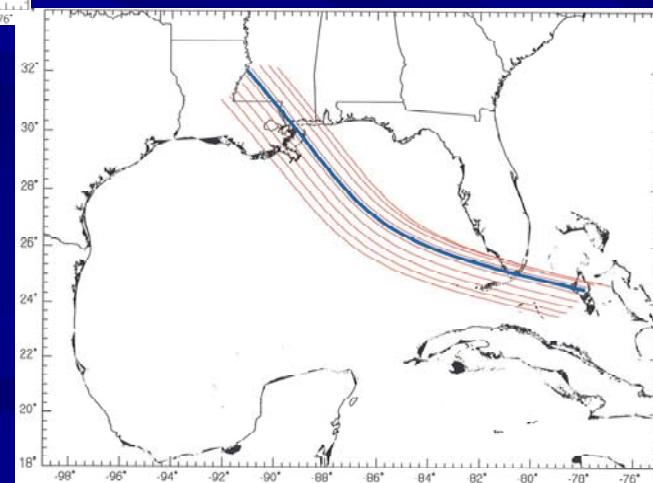
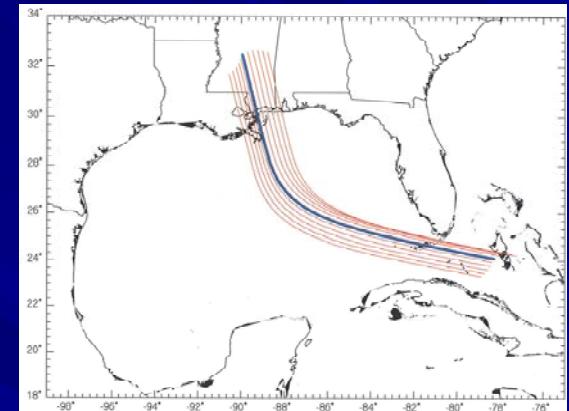
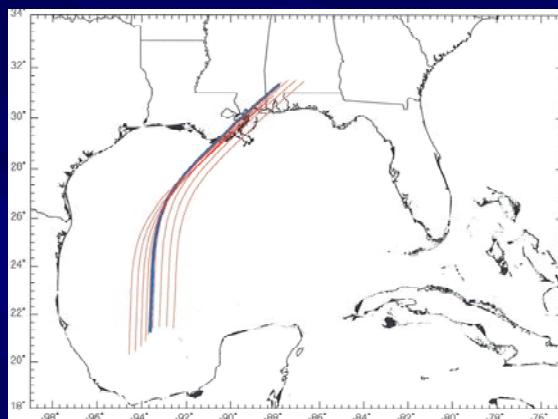
GREATER STORMS



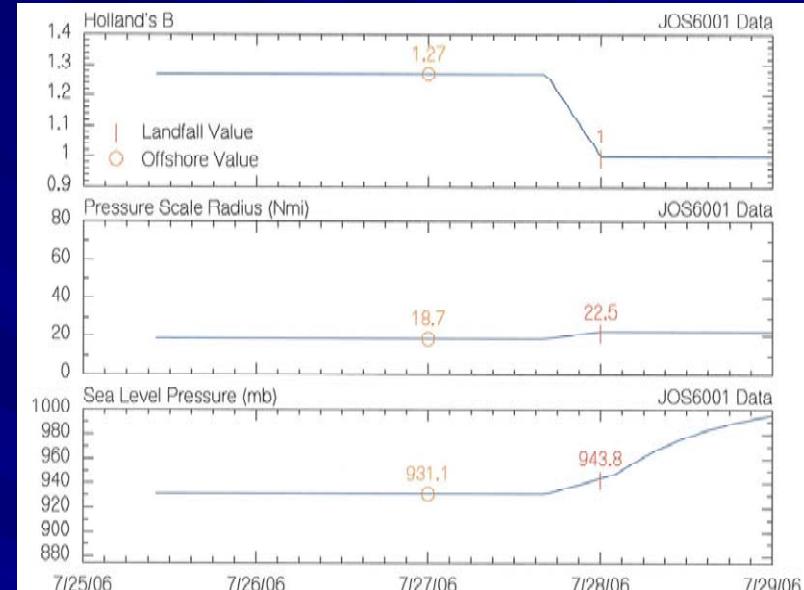
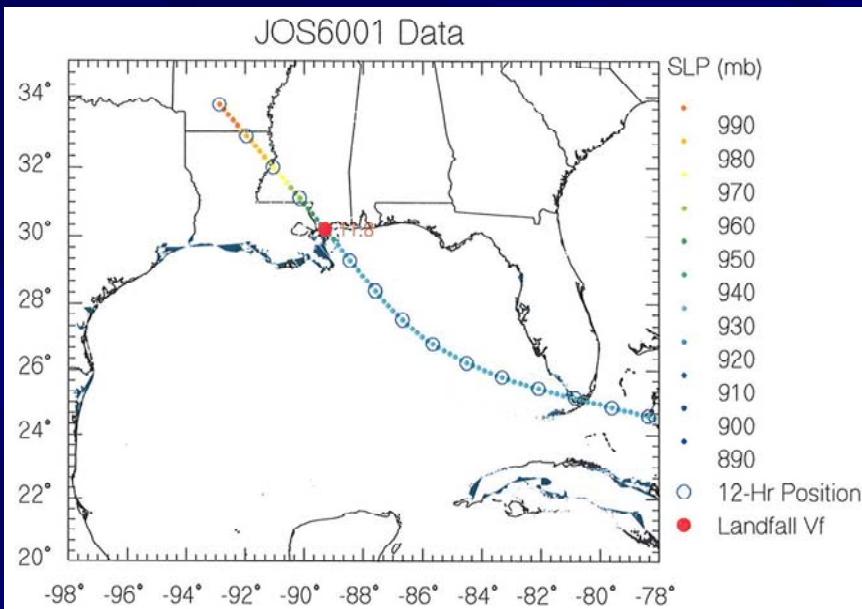
Forward speed \Rightarrow lognormal function

Storm Tracks

Whole Gulf Tracks Curved & Similar to Corps' BRICA



Along-Track Profiles



For storms where $R_p > 10$ n. mi.

$$R_p (\text{landfall}) = 1.3 * R_p (\text{offshore})$$

$$B (\text{landfall}) = 1.0 \quad B (\text{offshore}) = 1.27$$

$$\text{Decrease in } \Delta P (\text{mb}) = R_p (\text{offshore n.mi.}) - 6$$

$$\max \Delta P = 18 \text{ mb}, \min \Delta P = 5 \text{ mb}$$

Joint Probability Method (JPM)

$$P[\eta_{\max(1 \text{ yr})} > \eta] = \lambda \int \dots \int_{\underline{x}} f_{\underline{X}}(\underline{x}) P[\eta(\underline{x}) > \eta] d\underline{x}$$

Annual occurrence
rate

From
characterization
of parameters

Surge from the
numerical modeling

Joint Probability Method (JPM)

$$P[\eta_{\max(1 \text{ yr})} > \eta] = \lambda \int \dots \int_{\underline{x}} f_{\underline{X}}(\underline{x}) P[\eta(\underline{x}) > \eta] d\underline{x}$$

Commonly approximated by the discrete function:

$$P[\eta_{\max(1 \text{ yr})} > \eta] \approx \sum_{i=1}^n \lambda_i P[\eta(\underline{x}_i) > \eta]$$

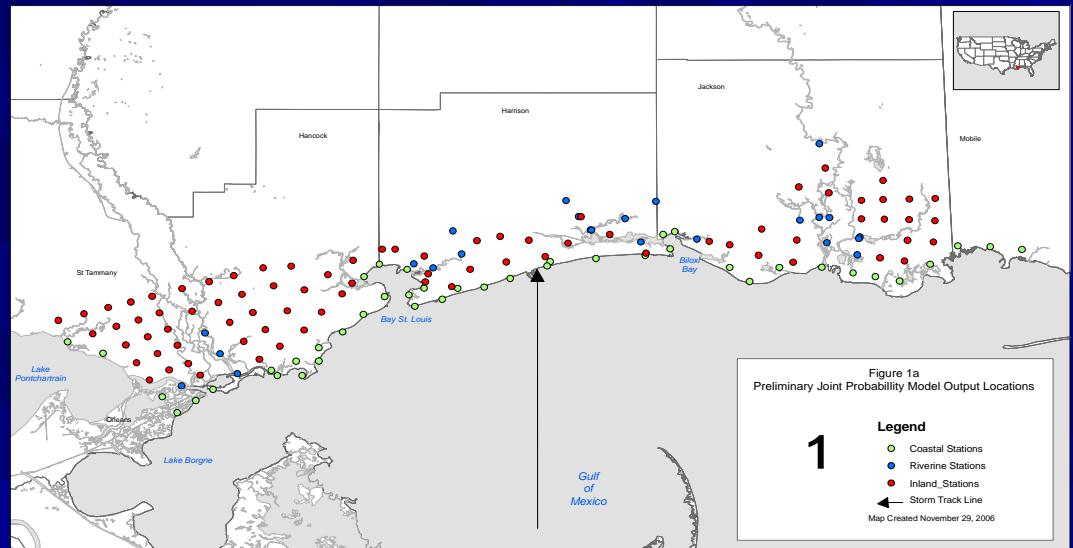
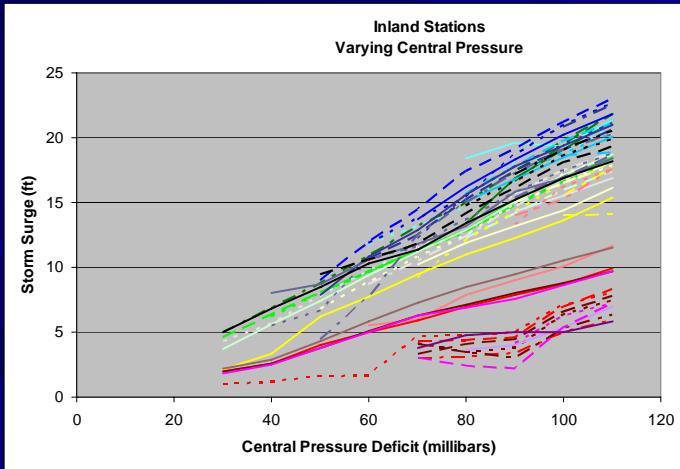
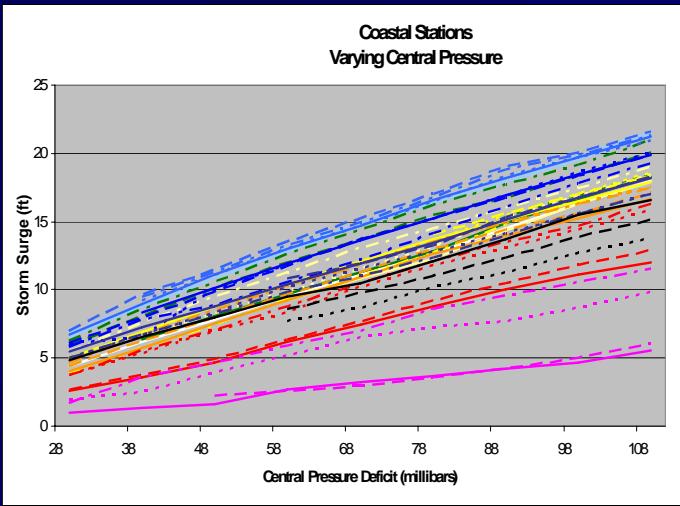
Rate for each storm

Surge elevation from numerical modeling

JPM-OS Development Strategy

- SLOSH model sensitivity tests
 - Yields relative importance of parameters
- Create full JPM (Gold Standard) Analysis
 - The 2,967 synthetic storms output at 147 points form a basis of comparison
- Use Bayesian quadrature method to create 4 JPM-OS candidates
 - OS4 = 303 , OS5 = 193, OS6 = 158 and OS7 = 147
- Compare JPM-OS candidates to the Gold Standard (GS) and select “best”
 - OS6 yield least synthetic storms while preserving GS-results

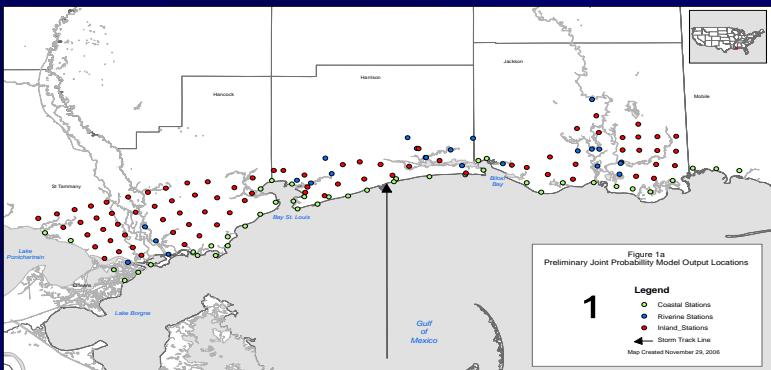
Parameter Sensitivity Tests



Results:

- $\Delta P > R_p > \theta > U$
- Track spacing = R_p
- 3 tracks west & 1 east

Full JPM (“Gold Standard”)



360 Synthetic storms each
on multiple tracks spaced at
Rp yields:
2,967 model runs

Central Pressure Deficit (mb)	Normalized Probability	Values of Rp(nmi)				
		0.01100	0.22200	0.53400	0.22200	0.01100
45.6	0.04958	6.94	13.43	24.38	44.28	85.71
48.6	0.16607	6.63	12.84	23.32	42.34	81.96
56.1	0.28435	5.99	11.59	21.05	38.23	74.00
69.1	0.28435	5.16	10.00	18.15	32.96	63.80
87.6	0.16607	4.36	8.44	15.33	27.84	53.88
111.8	0.04957	3.67	7.10	12.89	23.41	45.31

Forward Speed (m/s)	2.99	6.04	12.23
Normalized Probability	0.16667	0.66667	0.16667

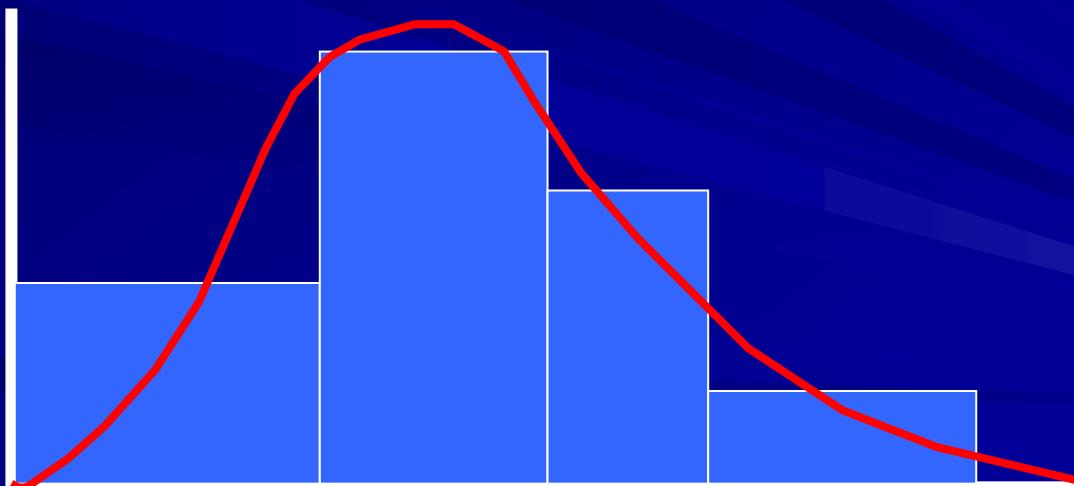
Headings (Theta) *	-73.0	-32.7	7.3	49.4
Normalized Probability	0.13299	0.36701	0.36701	0.13299

*(direction to; degrees clockwise from North)

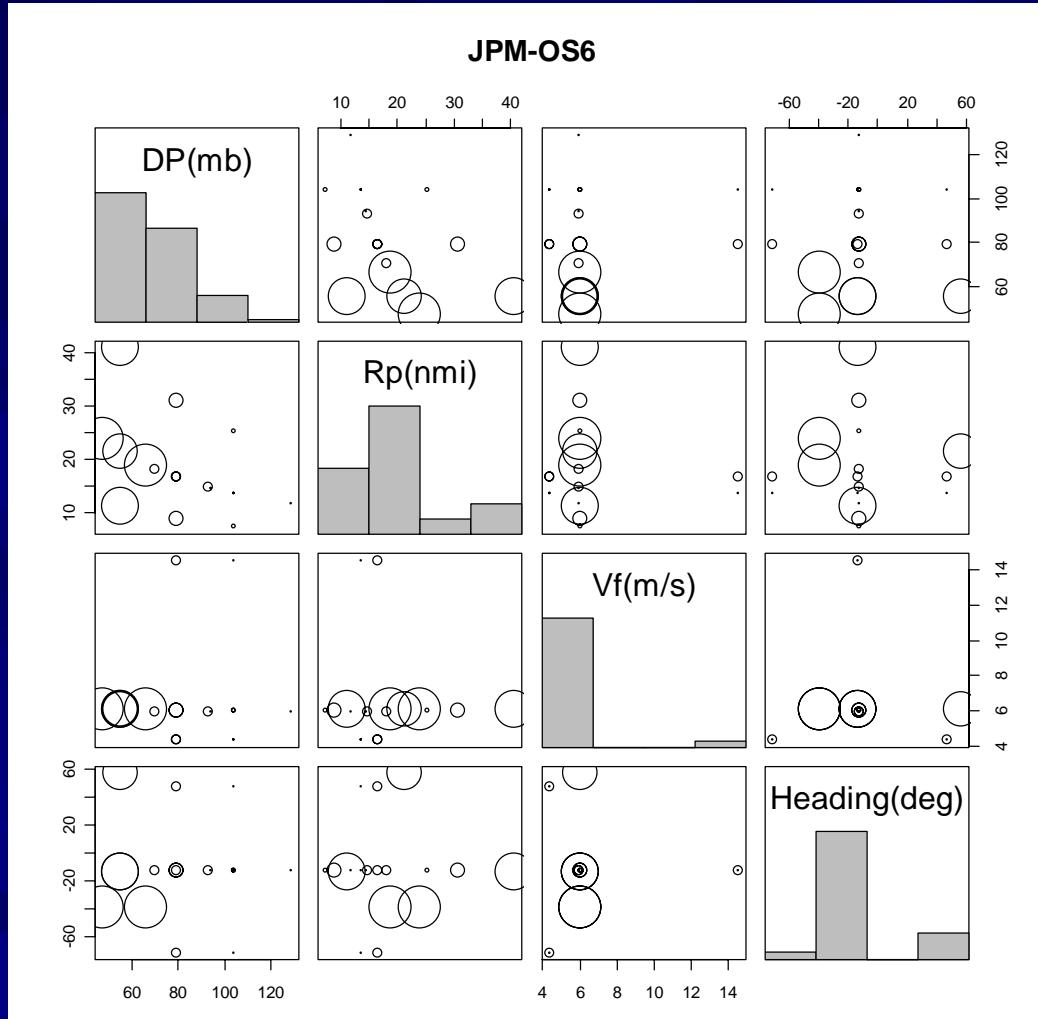
The Bayesian Quadrature Method

$$P[\eta_{\max(1 \text{ yr})} > \eta] = \lambda \int \dots \int_{\underline{x}} f_{\underline{X}}(\underline{x}) P[\eta(\underline{x}) > \eta] d\underline{x}$$

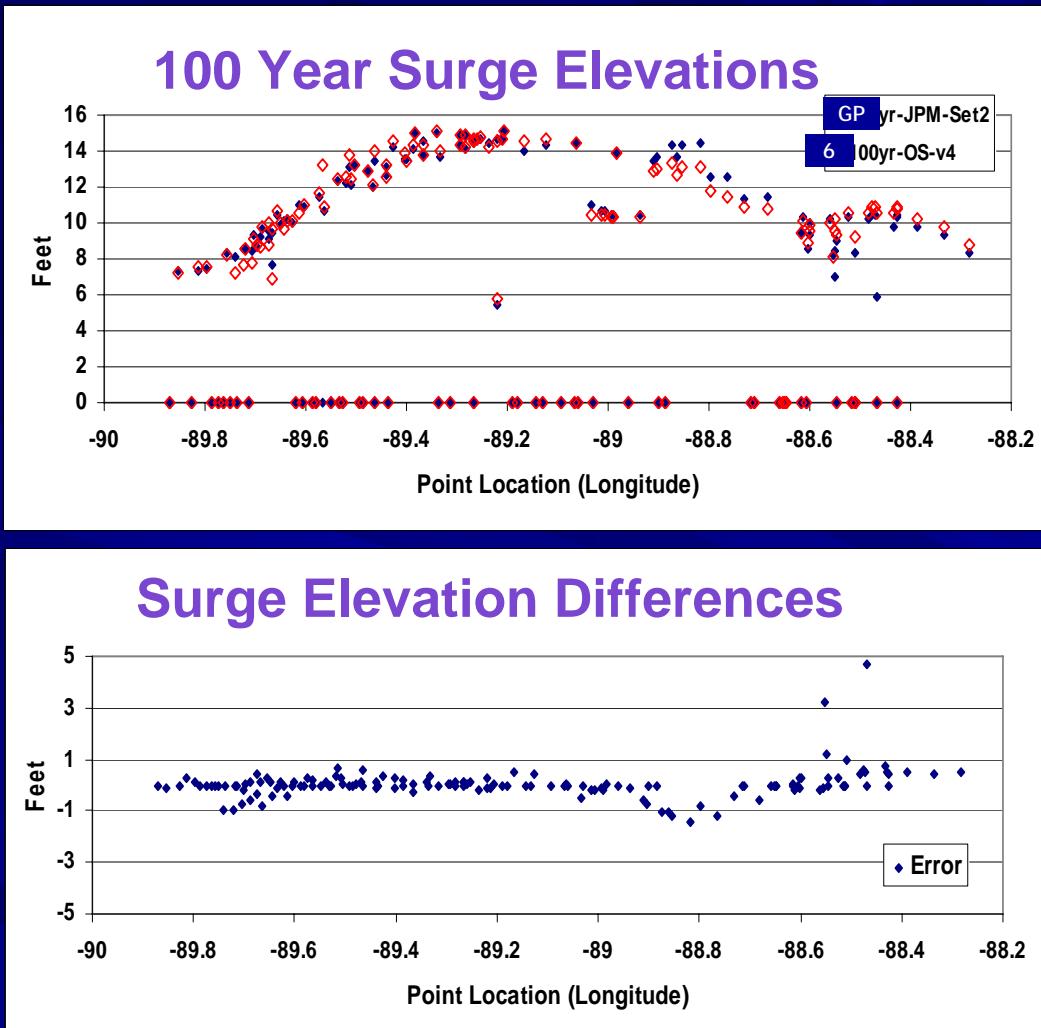
$$P[\eta_{\max(1 \text{ yr})} > \eta] \approx \sum_{i=1}^n \lambda_i P[\eta(x_i) > \eta]$$



The Bayesian Quadrature Method



Comparison Of JMP-OS6 & “GS”



The JPM-OS6 Case

156 Greater Storms

StormID (OWI notation)	dp(mb;coast)	Rp(nmi;offshore)	Vf(m/s)	theta(deg)	Prob.	Annual Rate (each JOS6###% track)
JOS6%	66.69	18.61	6.047	-38.91	1.33E-01	1.32E-03
JOS6%	57.17	39.82	6.047	-13.49	1.20E-01	2.55E-03
JOS6%	49.72	22.93	6.047	-38.92	1.33E-01	1.63E-03
JOS6%	57.17	10.83	6.047	-13.49	1.20E-01	6.94E-04
JOS6%	57.17	20.77	6.047	56.66	1.08E-01	1.19E-03
JOS6%	92.95	14.7	5.943	-12.81	3.42E-02	2.68E-04
JOS6%	78.59	30.8	6.014	-12.82	5.34E-02	8.77E-04
JOS6%	78.59	16.56	4.349	47.33	4.20E-02	3.71E-04
JOS6%	78.59	8.904	6.014	-12.82	5.34E-02	2.54E-04
JOS6%	78.59	16.56	14.54	-12.86	3.49E-02	3.08E-04
JOS6%	70.02	17.98	5.943	-12.82	3.42E-02	3.28E-04
JOS6%	78.59	16.56	4.346	-71.04	4.20E-02	3.71E-04
JOS6%	128.7	11.66	5.943	-12.81	1.06E-02	6.58E-05
JOS6%	103.7	25.3	6.014	-12.82	1.65E-02	2.23E-04
JOS6%	103.7	13.6	4.349	47.33	1.30E-02	9.44E-05
JOS6%	103.7	7.313	6.014	-12.82	1.65E-02	6.44E-05
JOS6%	103.7	13.6	14.54	-12.86	1.08E-02	7.83E-05
JOS6%	94.47	14.53	5.943	-12.82	1.06E-02	8.20E-05
JOS6%	103.7	13.6	4.346	-71.04	1.30E-02	9.43E-05

Notes

- 1: the Reference storms (e.g., JOS6001) are not assigned any rate. Only JOS6001A, JOS6001B, etc. are used in the probability calculations.
2. The annual rate for each storm is calculated as the storm probability displayed here, times the annual rate of greater storms (2.88E-4 storms/km/yr), times the storm spacing (Rp) in km.
3. The annual rates in column I are the lambda terms in my notes.

72 Lesser Storms

StormID (OWI notation)	dp (mb; coast)	Rp (nmi; offshore)	Vf(m/s)	theta (deg)	Prob.	Annual Rate (each *% track)
CAT2001%	46.38	41.59	5.416	8.758	4.74E-02	9.37E-04
CAT2002%	37.75	53.63	2.995	23.55	2.93E-02	7.47E-04
CAT2003%	44.28	21.64	3.4	63.87	7.61E-02	7.83E-04
CAT2004%	40.71	12.72	4.931	-9.324	1.76E-01	1.06E-03
CAT2005%	31.78	44.24	4.881	-11.27	3.92E-02	8.25E-04
CAT2006%	32.11	17.19	6.096	31.22	9.30E-02	7.60E-04
CAT2007%	34.67	24.32	6.941	-71.07	8.75E-02	1.01E-03
CAT2008%	47.53	16.94	4.378	-31.63	6.26E-02	5.04E-04
CAT2009%	42.09	27.82	3.71	-59.19	9.49E-02	1.25E-03
CAT2010%	34.67	24.31	2.458	-5.25	8.75E-02	1.01E-03
CAT2011%	44.28	21.64	10.5	-13.83	7.62E-02	7.83E-04
CAT2012%	37.75	53.63	7.894	-45.75	2.93E-02	7.46E-04
CAT2013%	37.04	29.79	6.644	46.64	1.01E-01	1.44E-03

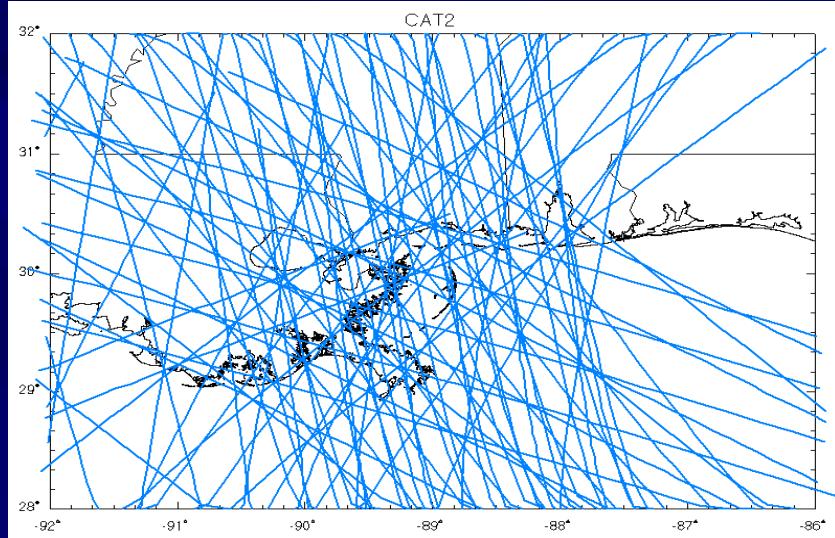
Notes

- 1: the Reference storms (e.g., CAT2001) are not assigned any rate. Only CAT2001A, CAT2001B, etc. are used in the probability calculations.
2. The annual rate for each storm is calculated as the storm probability (column H), times the annual rate of storms (2.567E-4 storms/km/yr), times the storm spacing (Rp) in km.
3. The annual rates in column I are the lambda terms in my notes.

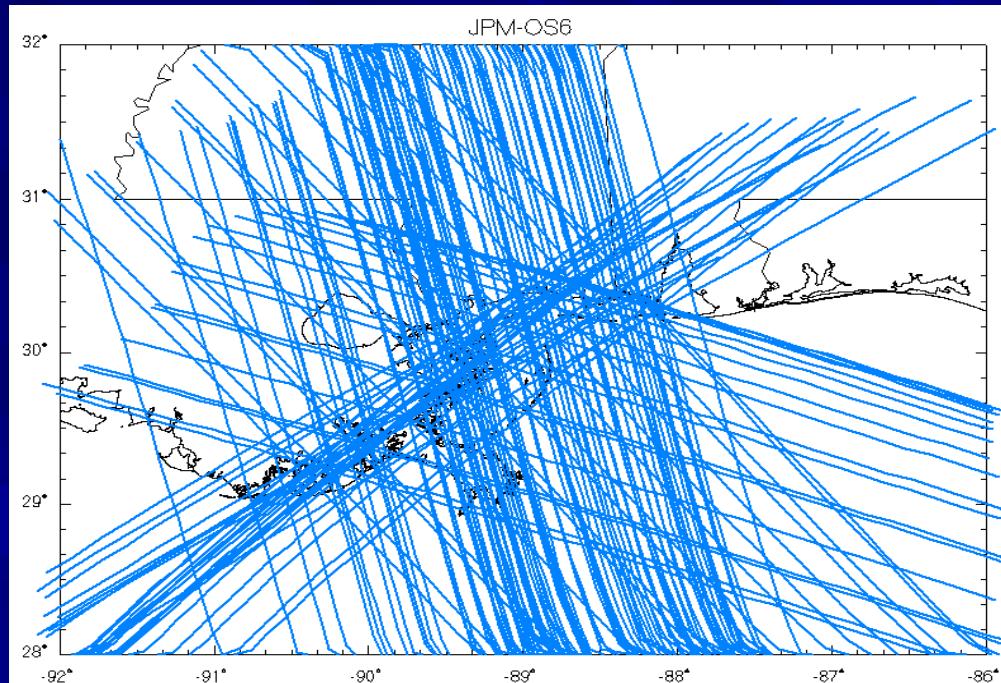
Total of 228 Synthetic storms to be modelled

Detailed Tracks

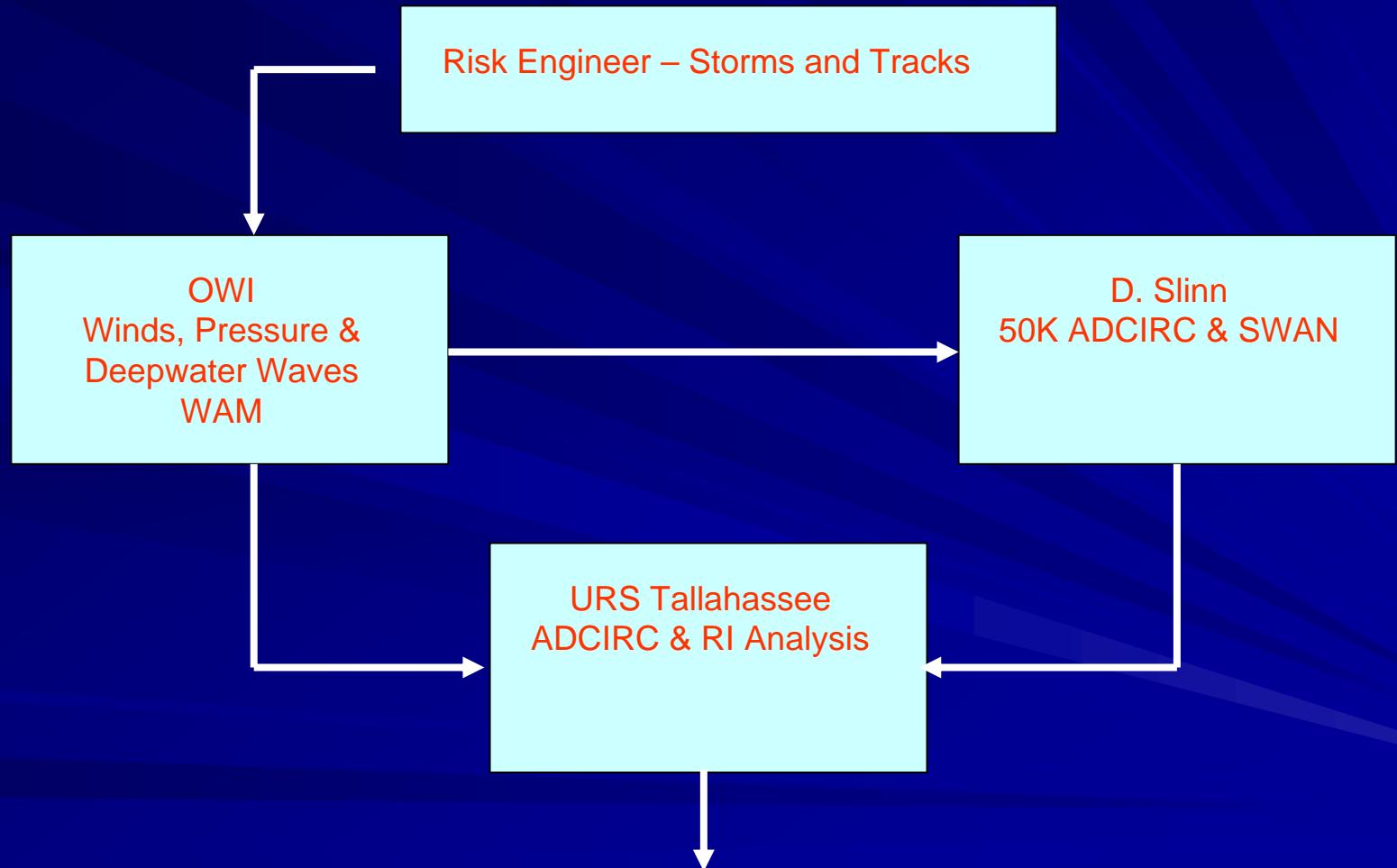
72 LESSER STORMS



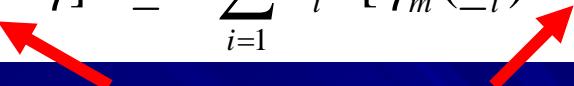
152 GREATER STORMS



“A Whole Bunch Of Modeling”



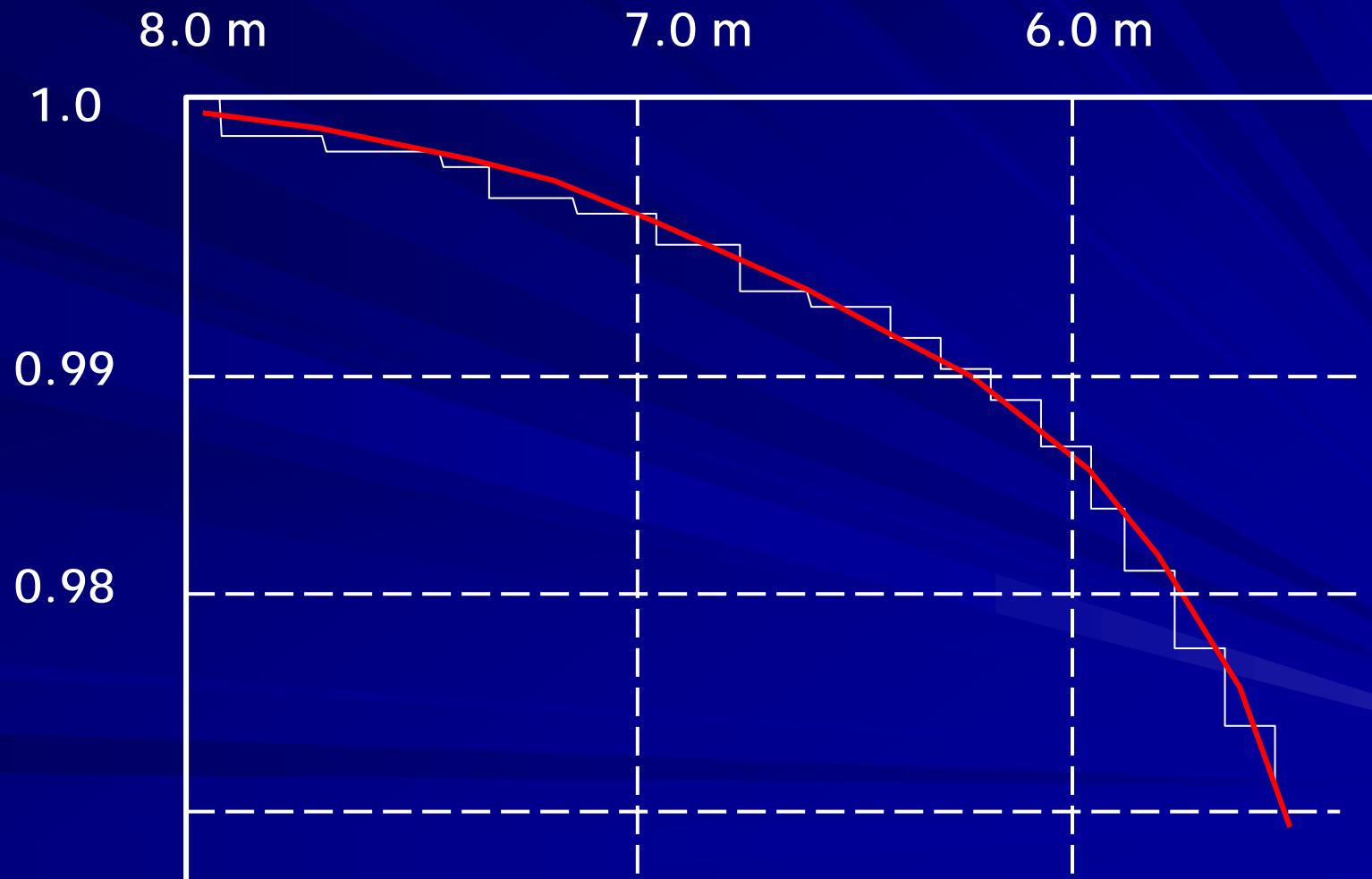
JPM With The “Random Term”

$$P[\eta_{\max(1 \text{ yr})} > \eta] = \lambda \int \dots \int_{\underline{x}} f_{\underline{X}}(\underline{x}) P[\eta_m(\underline{x}) + \varepsilon > \eta] d\underline{x} \approx \sum_{i=1}^n \lambda_i P[\eta_m(\underline{x}_i) + \varepsilon > \eta]$$


$$\sigma_\varepsilon = \sqrt{\sigma_{\varepsilon 1}^2 + \sigma_{\varepsilon 2}^2 + \sigma_{\varepsilon 3}^2 + \sigma_{\varepsilon 4}^2}$$

- | | |
|--------------------------|--|
| ▪ Astronomical tide | $\sigma_{\varepsilon 1} = 0.647$ feet |
| ▪ Holland B variations | $\sigma_{\varepsilon 2} = 0.15 * \text{surge elevation}$ |
| ▪ Model imprecision | $\sigma_{\varepsilon 3} = 0.77$ feet |
| ▪ Real storm variability | $\sigma_{\varepsilon 4} = 1.17$ feet |

Cumulative Distribution Function



Completion

- Reconcile/combine with MsCIP
- Add WHAFIS Waves
- Prepare DRAFT maps
- Final Digital Maps