Surge Response Surface Determination for Coastal Flooding Risk Assessment

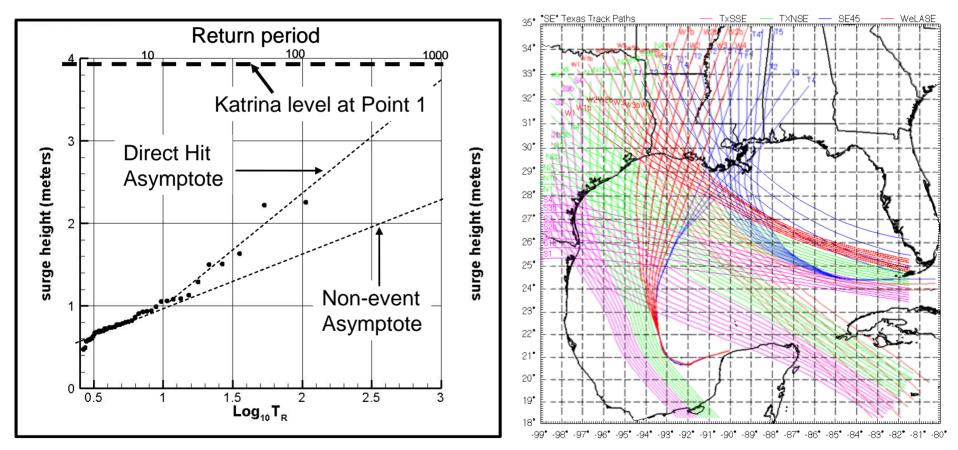
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- Motivation
- Methodology summary
- Main conclusions
- Background
- Methodology:
 - Response surfaces
 - Test surface development
 - Open coast prediction
 - New Orleans prediction
- Results
- Conclusions



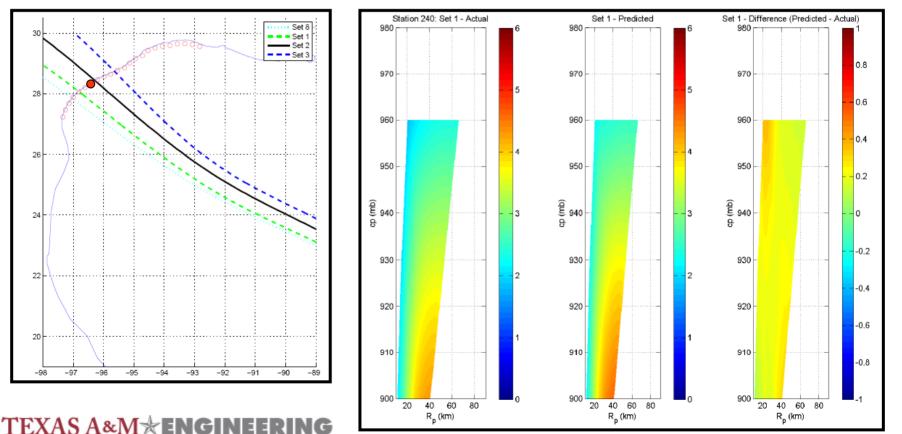
Surge Response Surface Determination Motivation

An <u>improved</u>, <u>efficient</u>, and <u>accurate</u> risk-assessment method for coastal flooding is required.



Surge Response Surface Determination Methodology Summary

- Surge response surface: $\zeta(x,t) = \Phi(\underline{G}, \underline{W} | c_p, R_{\max}, v_f, \theta, S(t), t)$
- Use surge parameterization to <u>predict</u> response surface throughout area of interest from <u>limited number</u> of simulations or observations
- Combines information from both statistics and physical scaling relationships



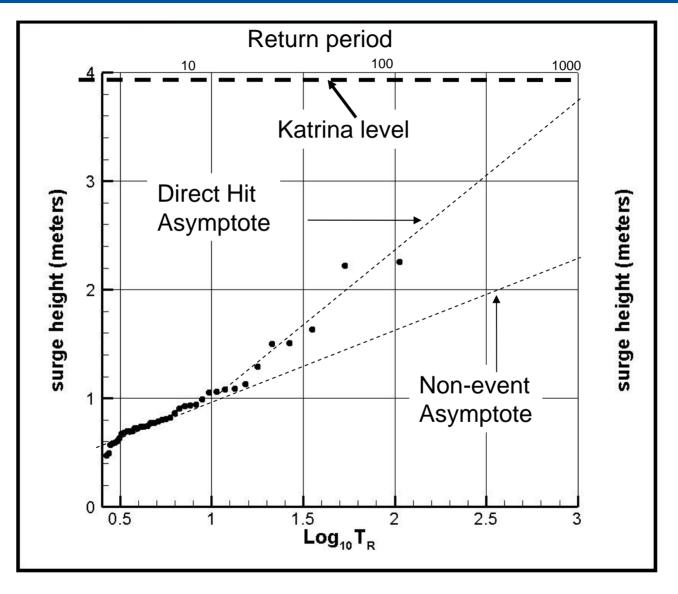
Surge Response Surface Determination Main Conclusions

- Surge response approach presents solution to extreme-value statistics for coastal flooding
- Definable characteristics of response surfaces given a single track:
 - Peak surge location scales with Rp
 - Alongshore distribution scales with peak surge and Rp
 - Surge at a given location for a given Rp varies linearly with p₀ cp
- Overall methodology must include a means to reflect uncertainty in predicted response surfaces
- Response surface prediction has potential to extend applicability of limited observation set (i.e. surges in stronger and weaker storms can be estimated)
- Response surface prediction reduces numerical simulation requirements by allowing functional interpolation between simulation results

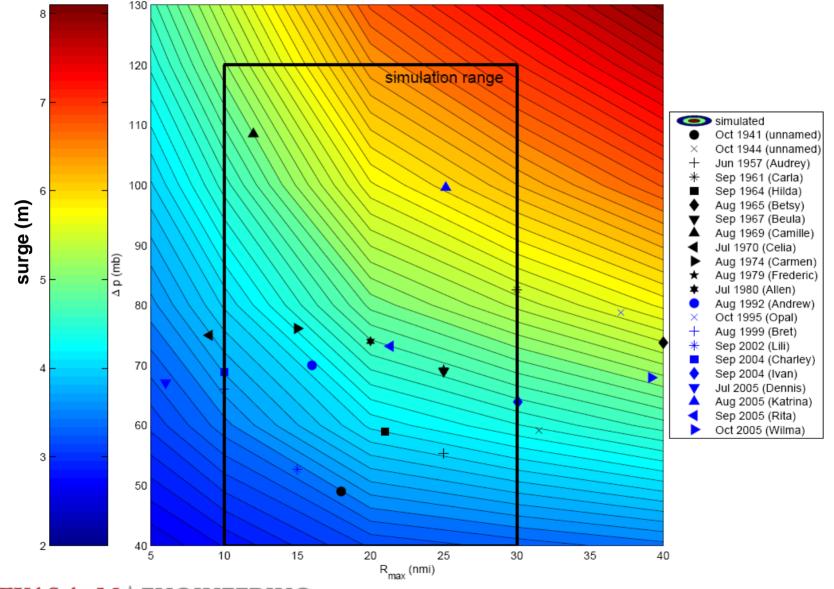
Surge Response Surface Determination Background – Historical Approach

- Form data set of "largest" storms (measurements or hindcasts)
- Typical applications:
 - Points over Threshold (POT)
 - Annual series
- PARAMETRIC (GEV, Weibull, Log Normal or other assumed form):
 - Considers sampling size effects on "fitted" curve
 - Uses various fitting methods (MLM, MOM, etc.)
 - Allows parametric estimation of return periods larger than given by the historical record
- NON-PARAMETRIC (e.g., EST):
 - No assumptions on data's probability distribution in interior
 - Uses data to develop distribution in interior
 - Still extrapolates beyond data range using parametric "fit" to data
- Results extremely sensitive to record length
- Storms assumed to be from a homogeneous parent population
 - Climate variability typically excluded

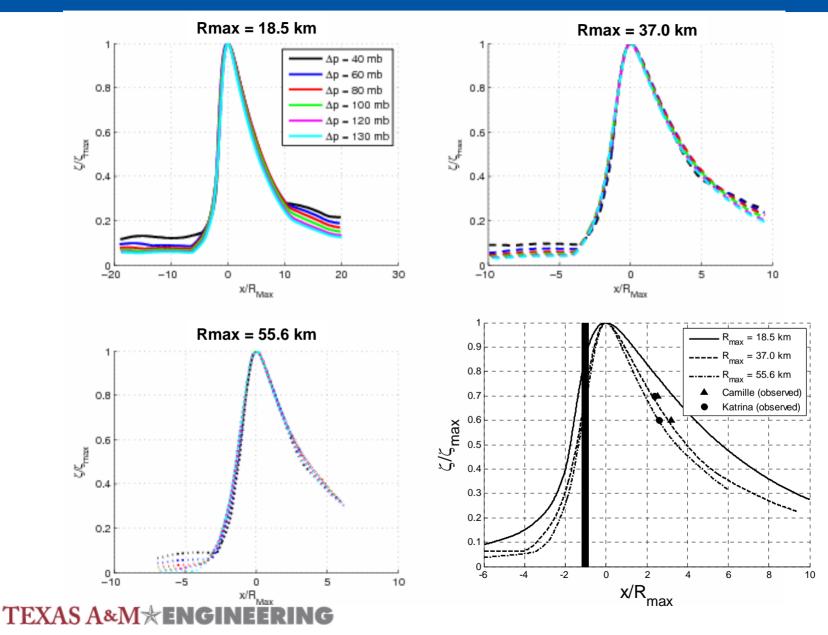
Surge Response Surface Determination Background – Historical Approach



Surge Response Surface Determination Background – Idealized Surge Response



Surge Response Surface Determination Background – Idealized Surge Response



Surge Response Surface Determination Methodology – Response Surface Approach

General form for surge response at location x and time t:

 $\zeta(x,t) = \Phi(\underline{G}, \underline{W} \mid c_p, R_{\max}, v_f, \theta, S(t), t)$

where

 $\zeta(x,t)$ is the storm surge at location x and time t,

 Φ is a numerical model used to generate surges over a grid,

 \underline{G} is a time invariant grid of bathymetry/topography,

 \underline{W} is a wind field over the grid at time t,

 c_p is the central pressure,

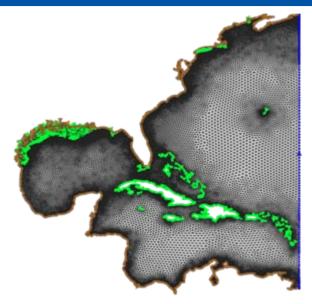
 $R_{\rm max}$ is the radius to maximum wind speed from the center of the storm,

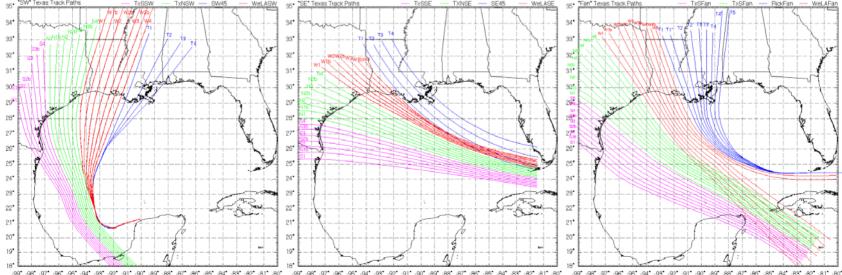
 v_f is the forward velocity of the storm,

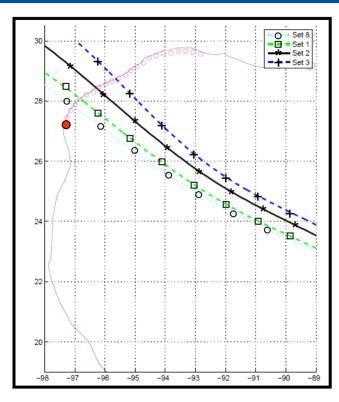
 $\boldsymbol{\theta}$ is the geographic angle of the track, and

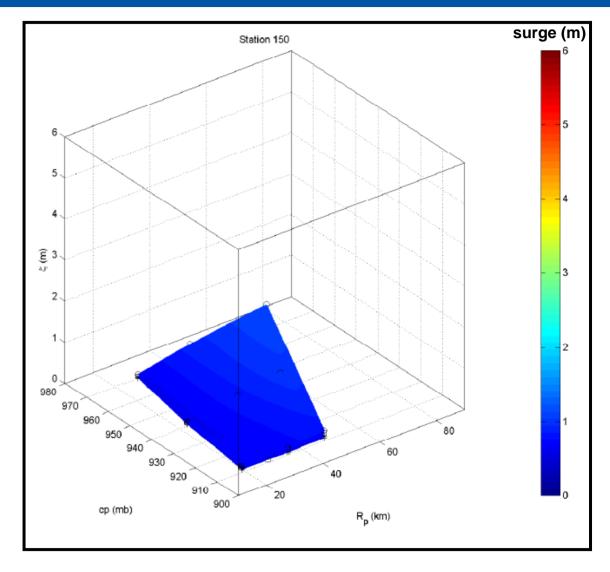
S(t) is the position of the storm along the track at time t,

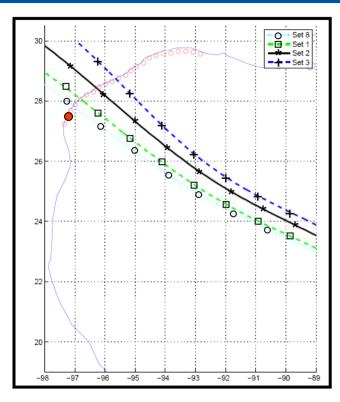
- ADCIRC:
 - Wind stress
 - Barometric pressure
- Planetary Boundary Layer Model (OWI):
 - Input Vf, θ, cp, Rp, track position, ...
 - 80 storms simulated

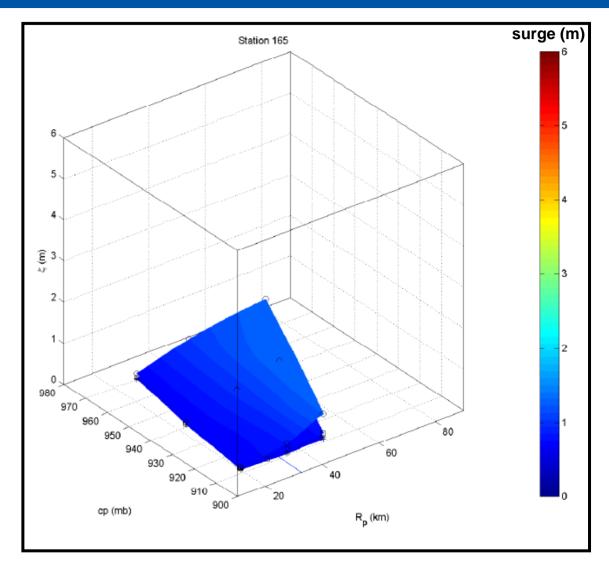


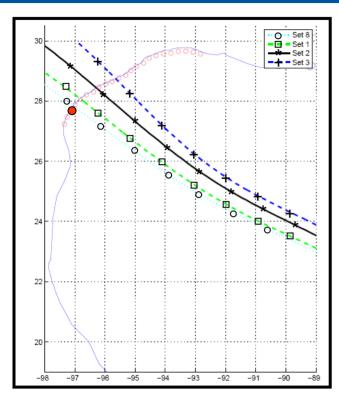


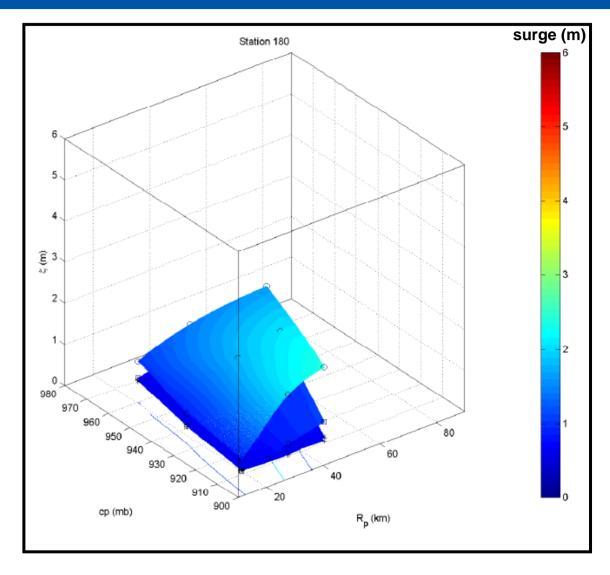


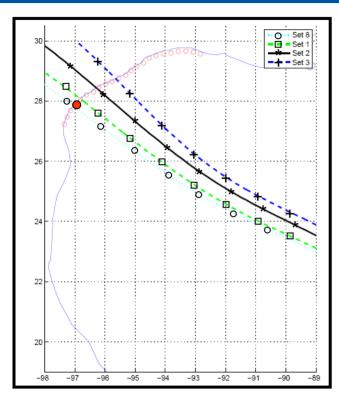


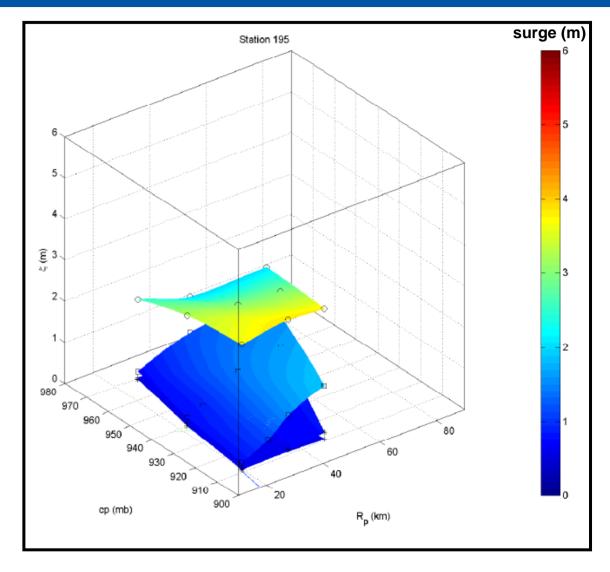


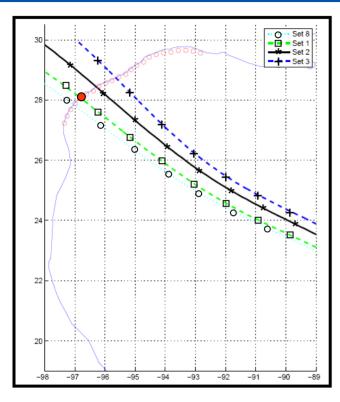


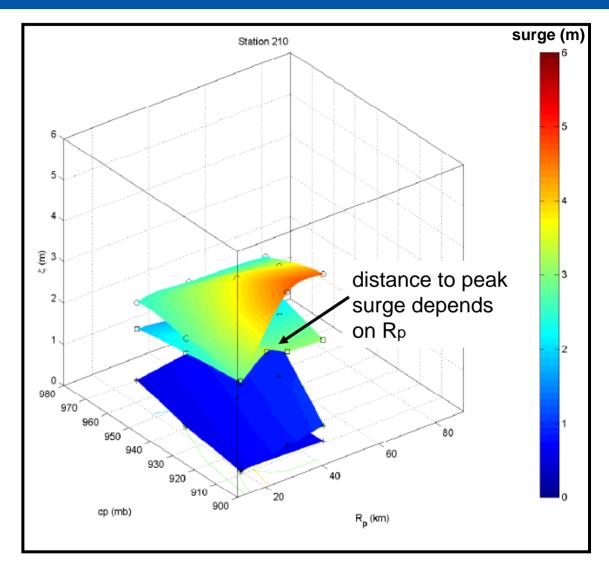


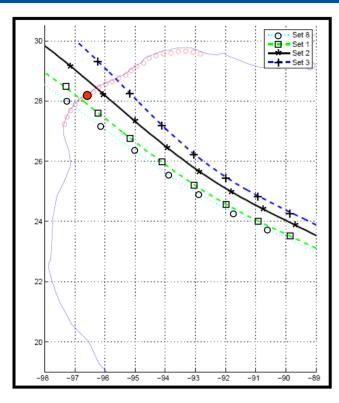


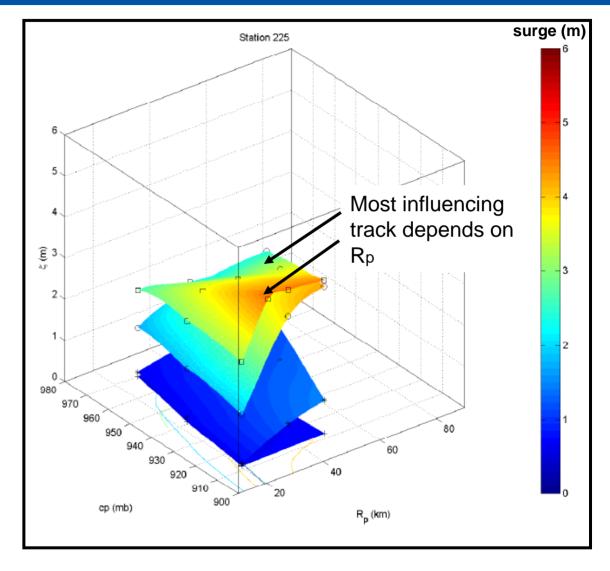


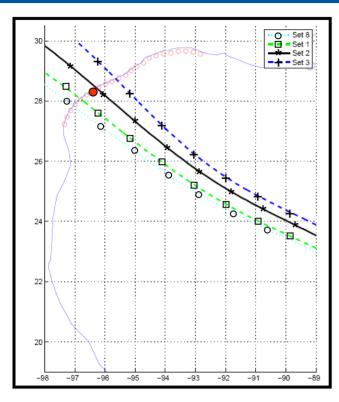


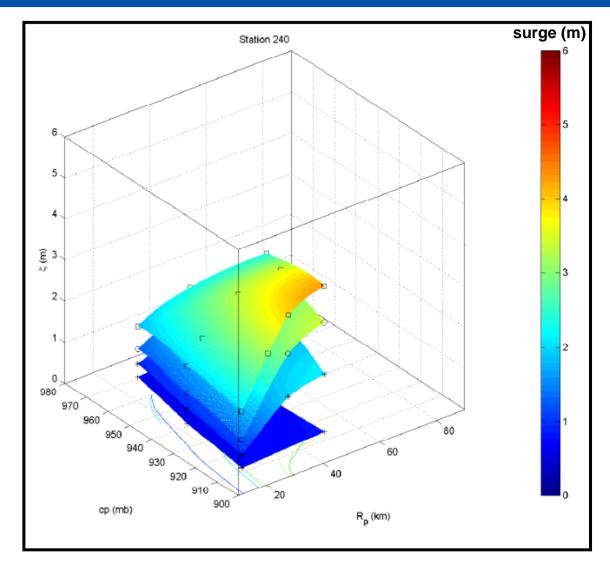


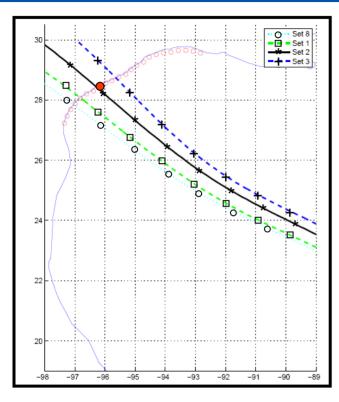


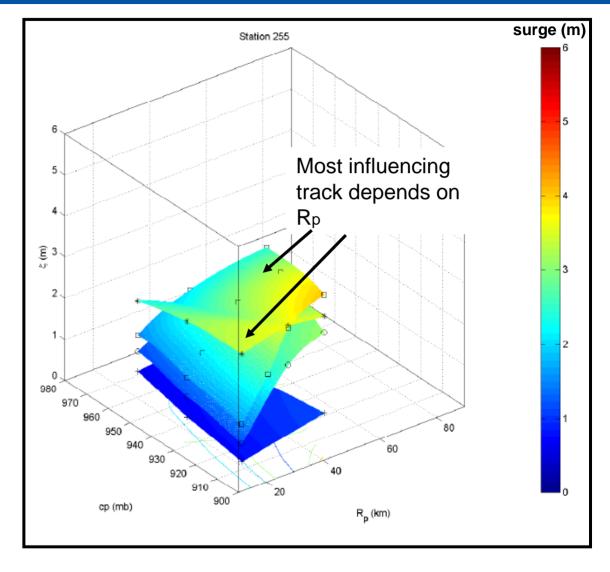


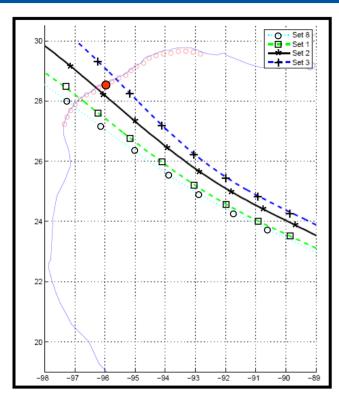


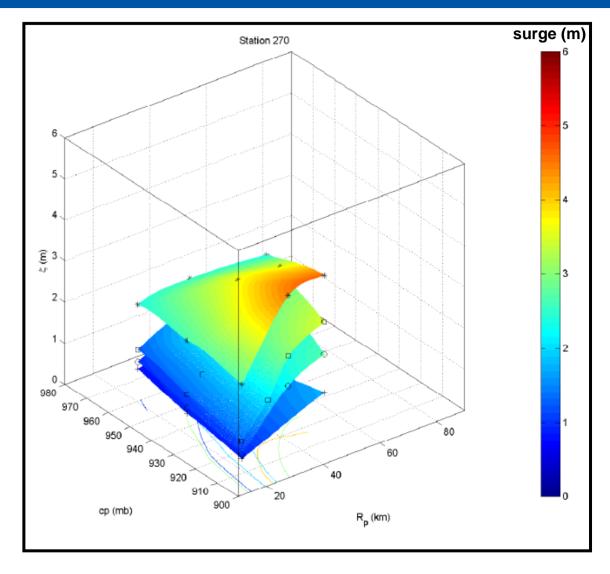


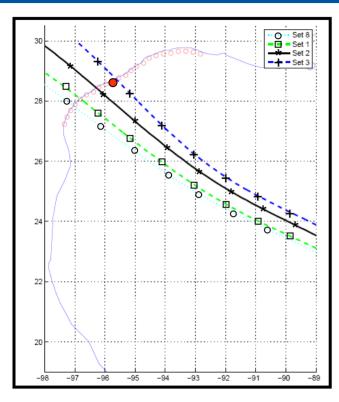


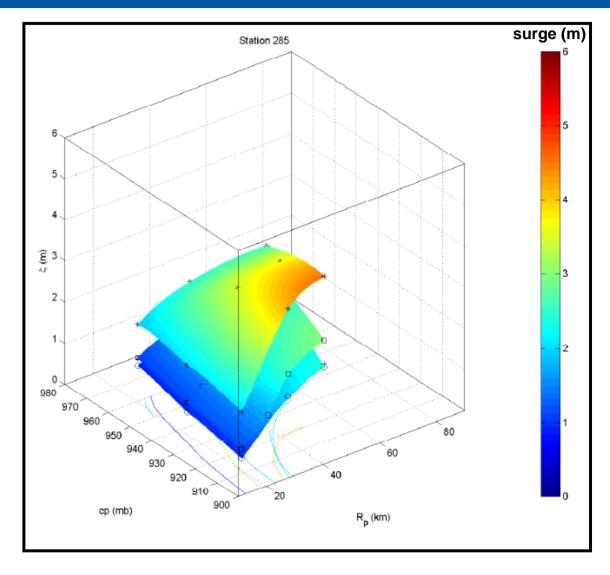


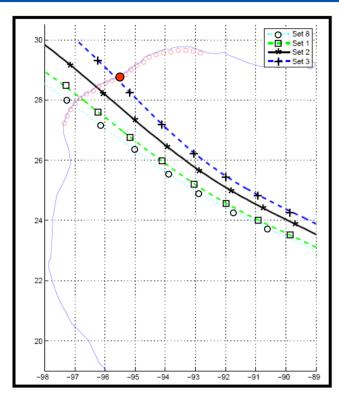


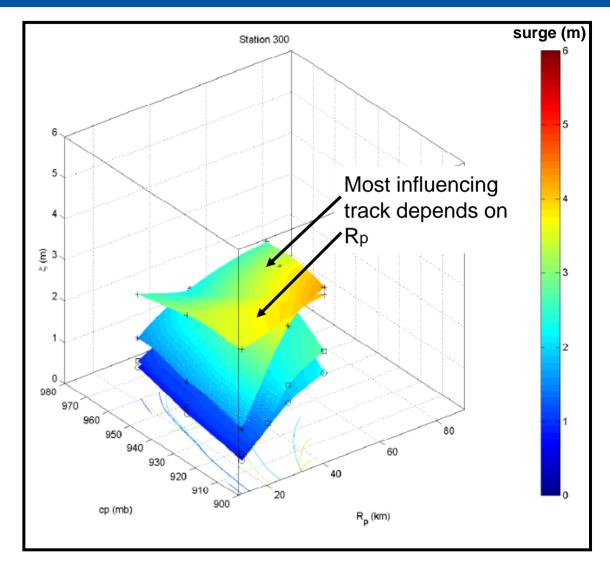


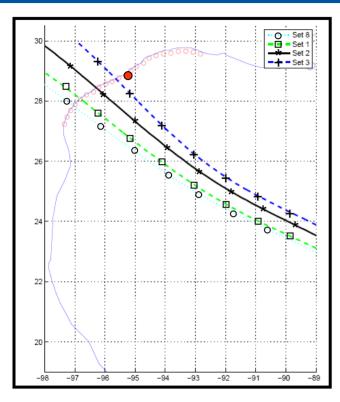


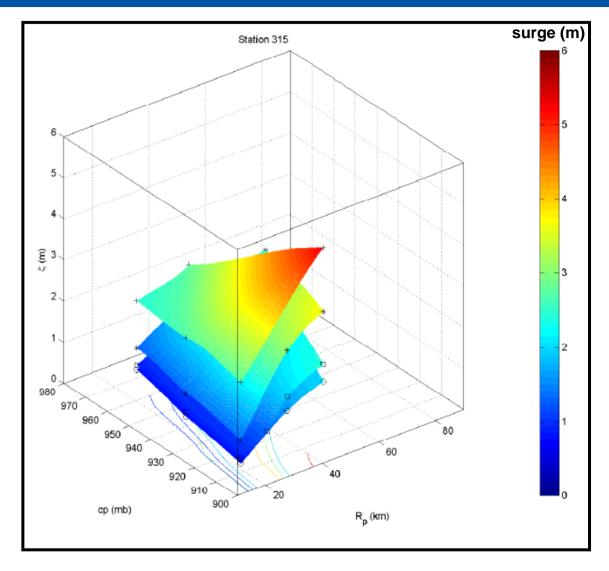


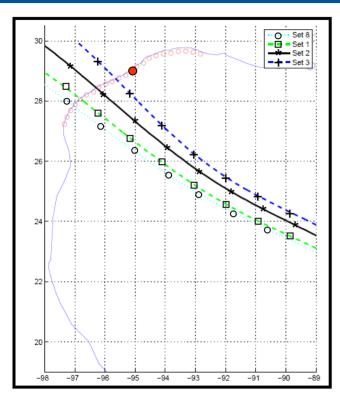


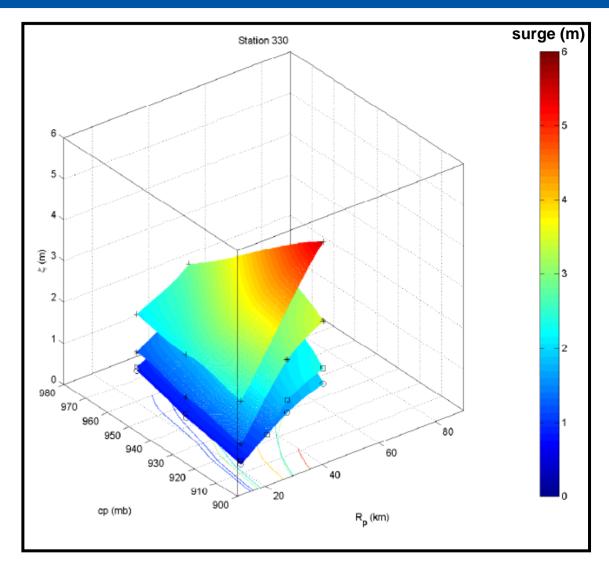


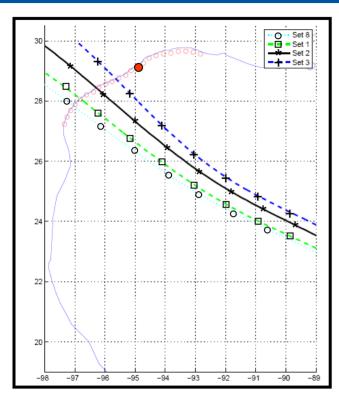


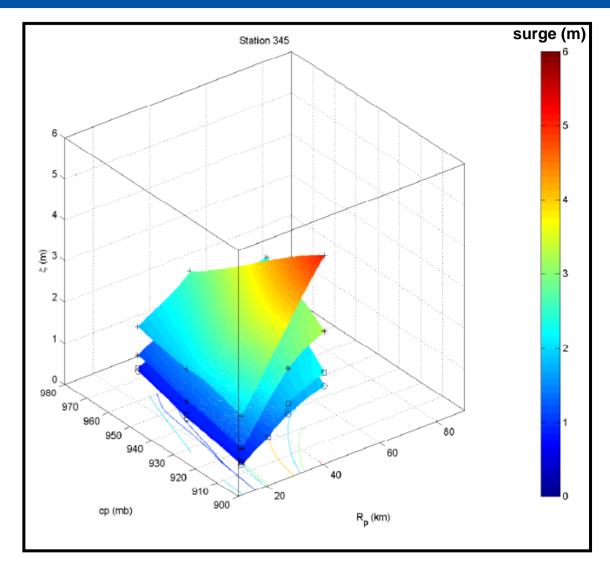


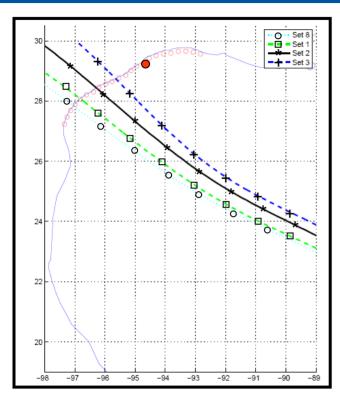


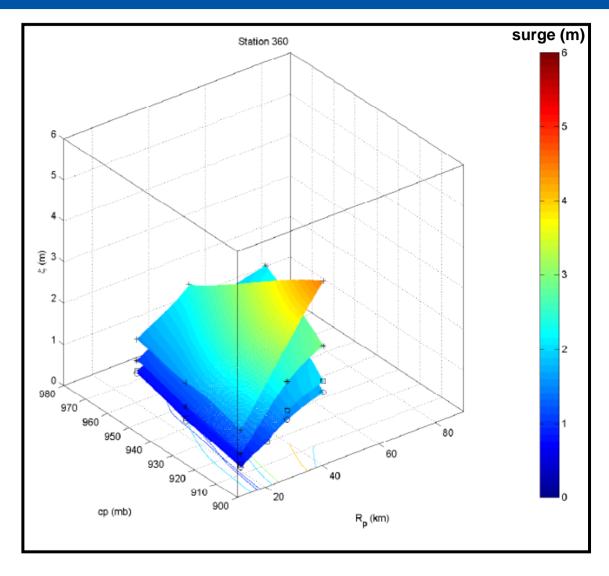


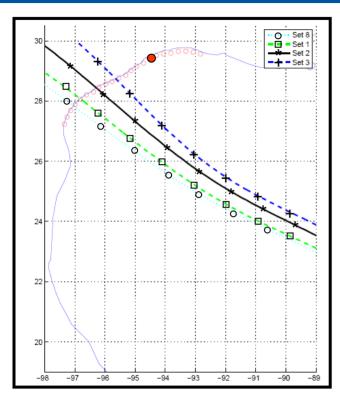


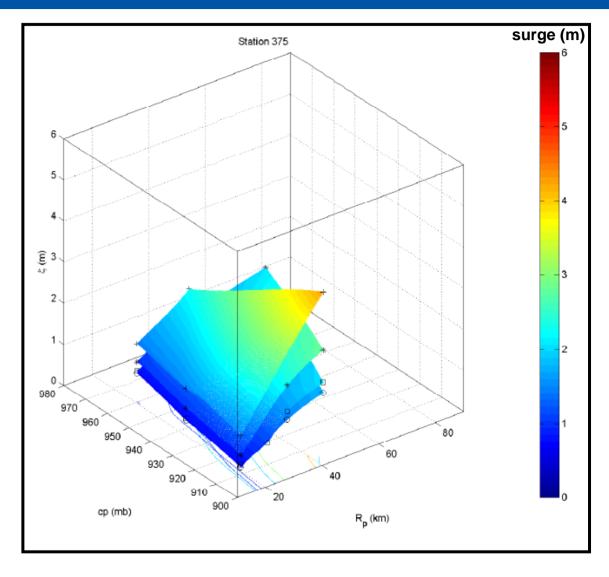


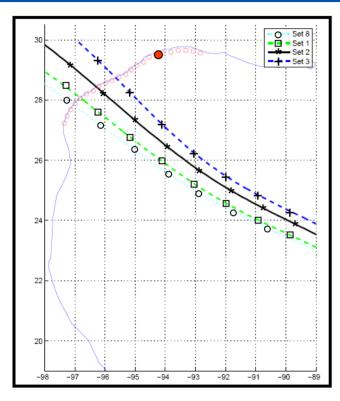


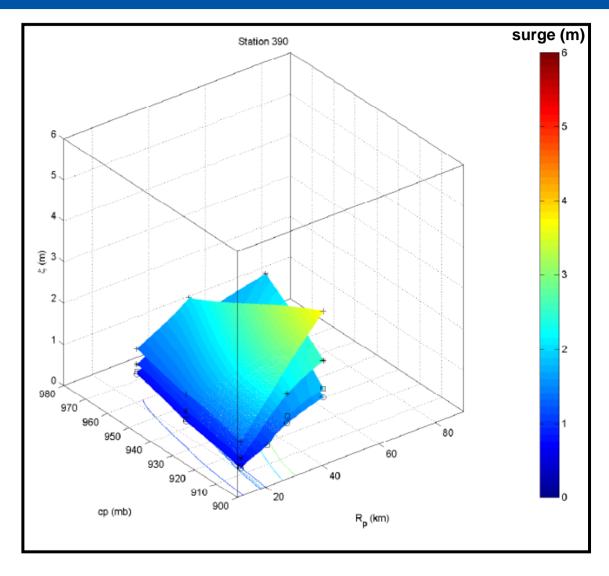












• Surge response surface:

 $\zeta(x,t) = \Phi(\underline{G}, \underline{W} \mid c_p, R_{\max}, v_f, \theta, S(t), t)$

Maximum surge at given ocean location (x) for a given V_f and θ :

• Distance to peak ocean surge from given eye position (x_0) scales with Rp:

$$x_{\zeta_{\max}} - x_o = g(x_o, R_p)$$
(1)

• Peak ocean surge a function of cp, Rp, and landfall location (landscape):

$$\zeta_{\max} = q\left(x_o, \left[c_p, R_p\right]\right)$$
(2)

• Shape of alongshore surge distribution scales with Rp:

$$\frac{\zeta_{x'}}{\zeta_{\max}} = f\left(x_o, \frac{x'}{R_p}\right) \quad \text{where:} \quad x' \equiv x - x_{\zeta_{\max}} \quad (3)$$

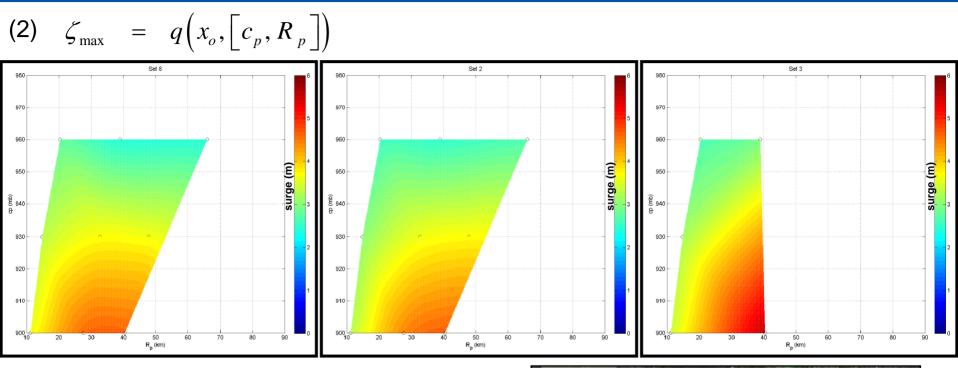
$$(1) \quad x_{\zeta_{\text{max}}} - x_o = g(x_o, R_p) \cong m_{x_o} R_p$$

R (km)

TEXAS A&M*ENGINEERING

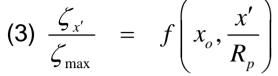
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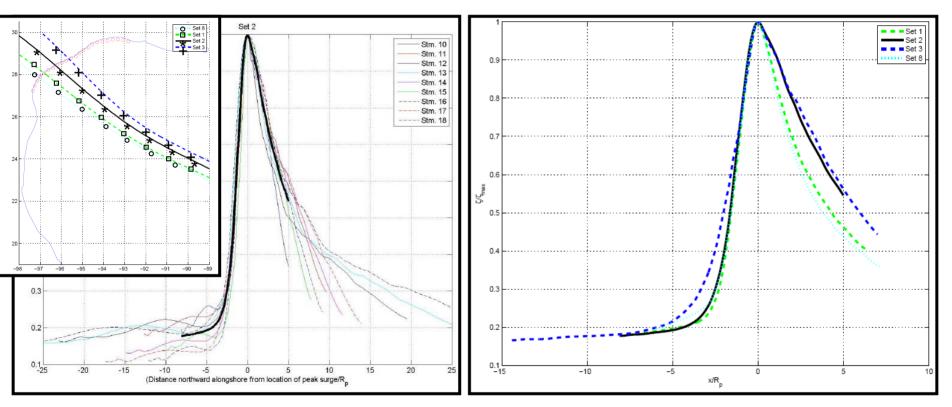
- Regional geometry important:
 - Shelf slope
 - Shoreline shape

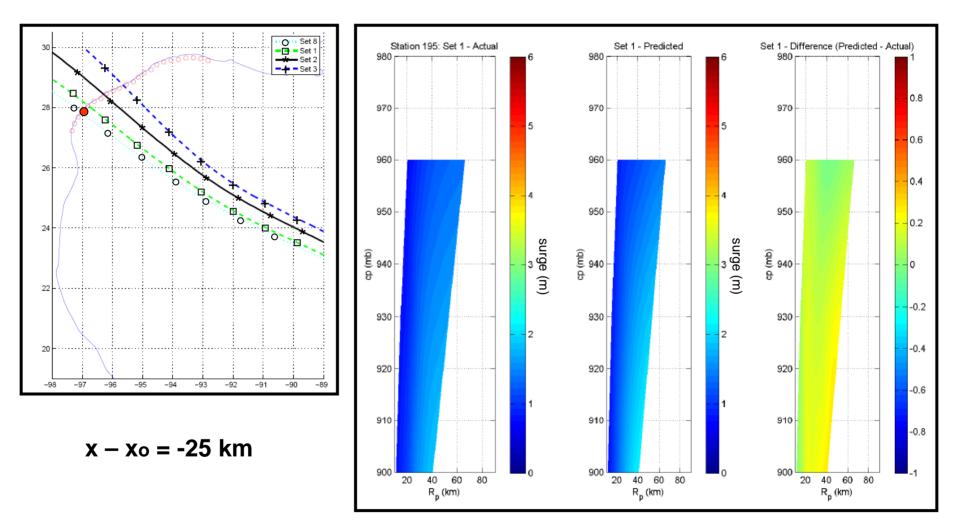


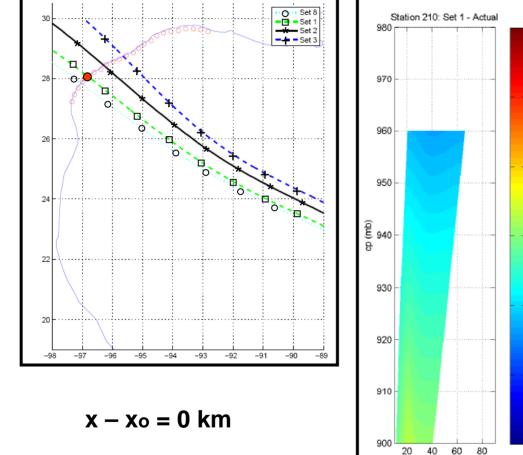


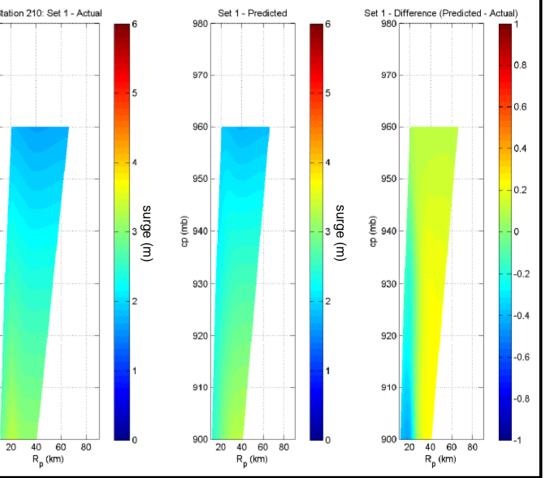
$$\frac{x'}{2}$$
 where

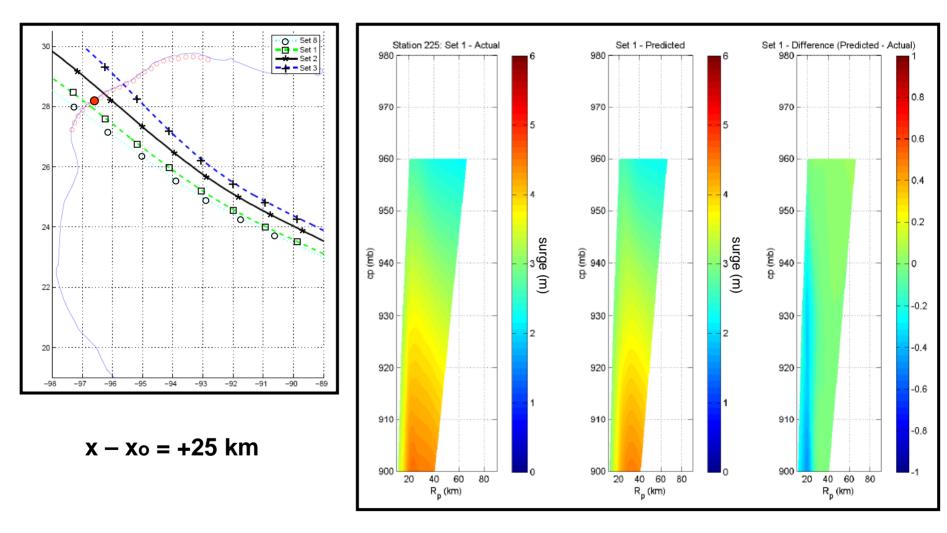
$$x' \equiv x - x_{\zeta_{\max}}$$

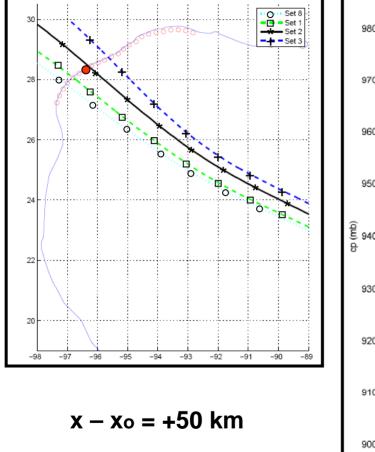


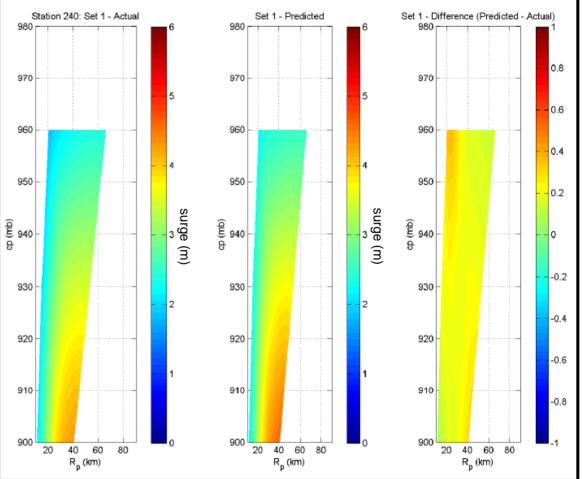


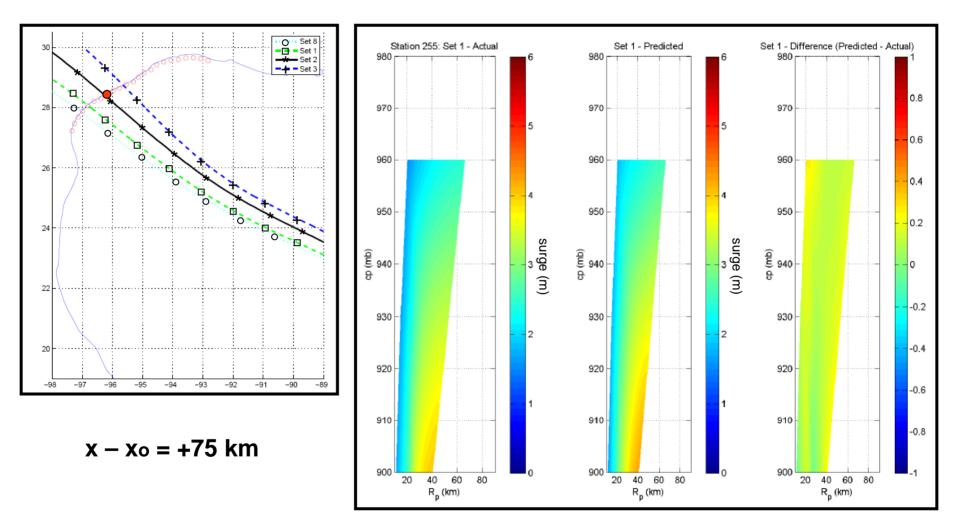


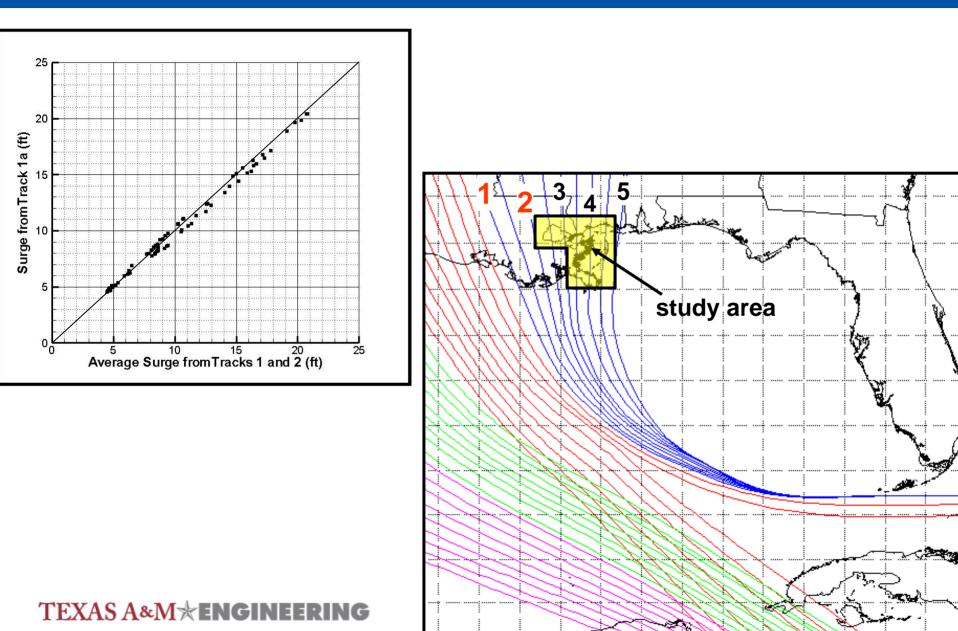


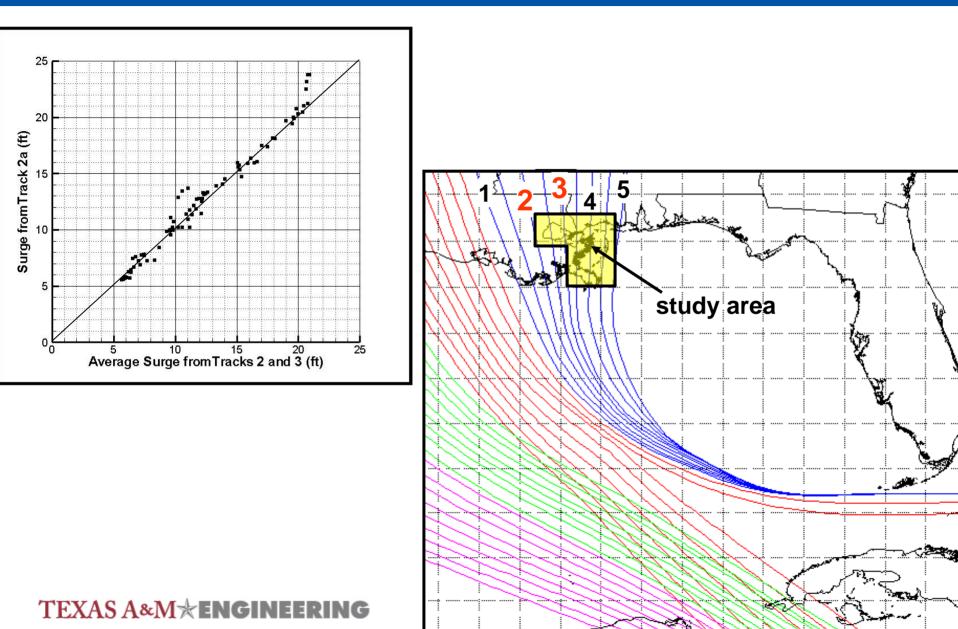


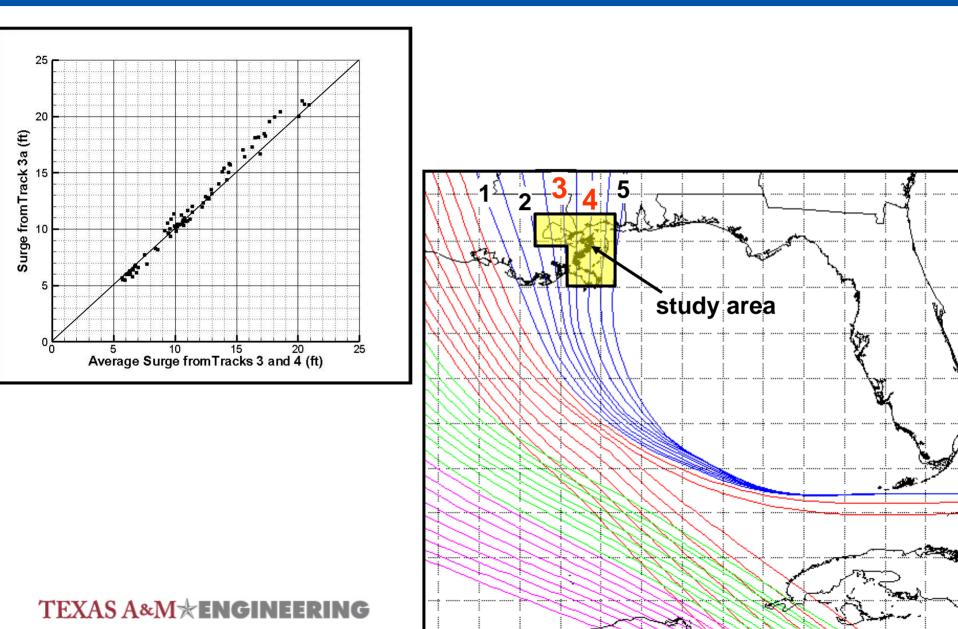


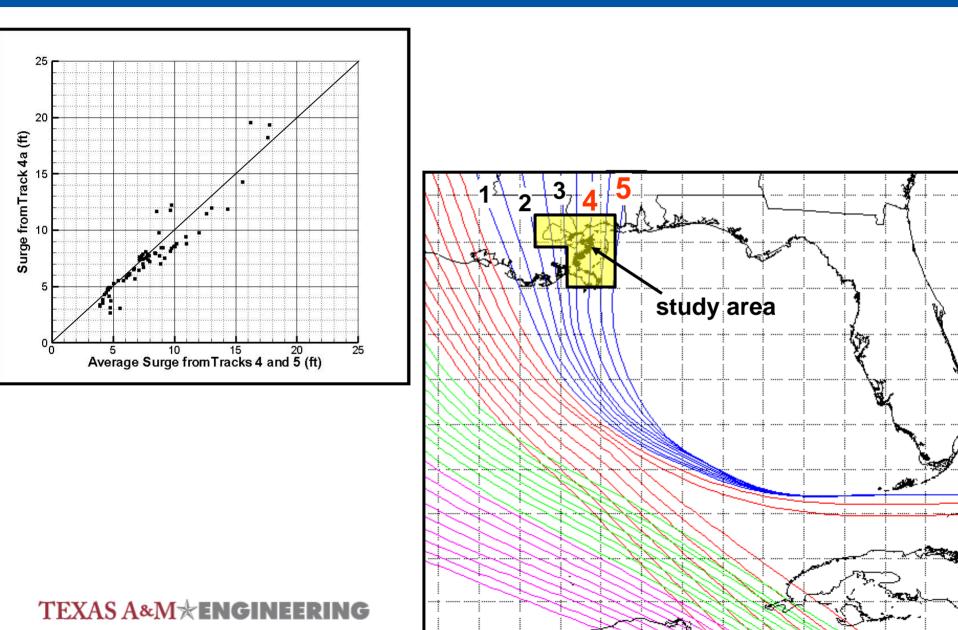


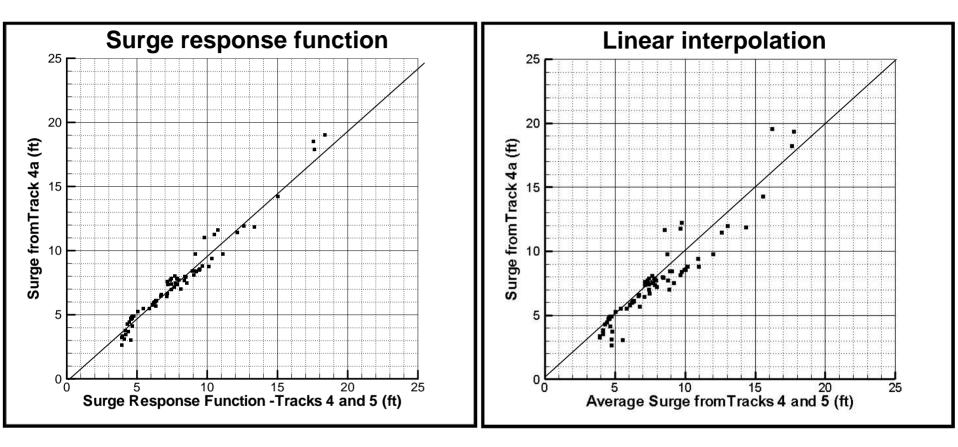












Surge Response Surface Determination Conclusions

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Surge Response Surface Determination Conclusions – Future Work

